

**ELEKTRIKA:**

$$I = \frac{de}{dt}$$

$$\int I \cdot dt = \Delta e$$

$$F = \frac{e_1 e_2}{4\pi\epsilon_0 r^2} = e_0 \vec{E}$$

$$U = \vec{E} \cdot \vec{S} = \frac{A_e}{e}$$

$$\sigma_e = \frac{e}{S}$$

$$E = \frac{\sigma}{2\epsilon_0}$$

$$\oint D dS = e$$

$$e = CU, \dots, e_p = CU_p$$

$$C = \frac{\epsilon_0 S}{l} = \frac{2\pi\epsilon_0 l}{\ln r_2/r_1}$$

$$W_e = \frac{CU^2}{2} = \frac{e^2}{2C}$$

$$W_p = qV$$

$$\Delta W_p + \Delta W_{kin} = 0$$

$$w_e = \frac{W_e}{V} = \frac{\epsilon_0 E^2}{2}$$

$$U = RI$$

$$P = UI = RI^2 = \frac{U^2}{R}$$

$$R = \frac{\xi \cdot l}{S_0}$$

$$A = Fs = \int Md\varphi = \int Pdt = \Delta I$$

Praznjenje kondenzatorja:

$$U_c = U_0 \cdot e^{-\frac{t}{RC}}$$

$$I_c = I_0 \cdot e^{-\frac{t}{RC}}$$

Polnjenje kondenzatorja:

$$U_c = U_g (1 - e^{-\frac{t}{RC}})$$

$$I_c = \frac{U_g}{R} e^{-\frac{t}{RC}}$$

Admitanca kondenzatorja:

$$Z_C = \frac{1}{\omega C}$$

RLC vezje:

$$U_0 = I \cdot \sqrt{R^2 + \left(\omega L - \frac{1}{\omega C}\right)^2}$$

Krožna zanka:

$$V = \frac{e}{4\pi\epsilon_0 \sqrt{r^2 + z^2}}$$

$$E = \frac{e \cdot z}{4\pi\epsilon_0 (r^2 + z^2)^{3/2}}$$

MAGNETIZEM:

$$F = IBl \cdot \sin \alpha$$

$$\vec{F} = e \cdot \vec{v} \times \vec{B}$$

$$B = \mu_0 H = \frac{\mu_0 I}{2\pi r} = \frac{\mu_0 NI}{l}$$

$$M = NISB \sin \alpha = J\alpha$$

$$U_i = \frac{d\Phi_m}{dt} = -BS\omega \cdot \sin(\omega t) = \dot{\quad}$$

$$\Phi_m = \int BdS = BS \cdot \cos(\omega t) = [V]$$

$$d\Phi_m = SdB$$

$$L = \frac{\mu_0 N^2 S}{l} = \frac{\Phi}{I}$$

$$W_m = \frac{LI^2}{2} = p_m B \cos \varphi$$

$$p_m = NIS$$

$$w_m = \frac{B^2}{2\mu_0} = \frac{HB}{2}$$

Nihajni čas mag. igle ali tuljave

$p_m$  - mag. moment

$$t_0 = 2\pi \sqrt{\frac{J}{p_m B}}$$

Zakon o mag. pretoku:

$$\oint \vec{B} d\vec{S} = 0$$

Zakon o mag. napetosti (Amperov zakon):

$$\oint \vec{H} \cdot d\vec{s} = I$$

H okoli vodnika in dolge tuljave:

$$H = \frac{I}{2\pi r} = \frac{NI}{l}$$

Pojemanje toka in napetosti skozi tuljavo:

$$\tau = L/R$$

$$I(t) = I_0 \cdot e^{-t/\tau}$$

$$U_R = -I_0 \cdot R \cdot e^{-t/\tau}$$

$$U_L = I_0 \cdot R \cdot e^{-t/\tau}$$

Naraščanje toka in napetosti skozi tuljavo:

$$I(t) = \frac{U_0}{R} (1 - e^{-t/\tau})$$

$$U_R = -U_0 (1 - e^{-t/\tau})$$

$$U_L = -U_0 \cdot e^{-t/\tau}$$

Impedanca tuljave:

$$Z_L = \omega L$$

SEVANJE:

a - albeda ali odbojnost

j - gostota energ. Toka.

$$P_{ABS} = (1 - a) jS$$

$$P_{IZS} = (1 - a) \sigma T^4 S$$

C - toplotna kapaciteta [J/K]

$$-dQ = j^* S dt$$

$$-CdT = \sigma T^4 S dt$$

FOTOMETRIJA:

Svetlobni tok:

$$P = \frac{dW}{dt} = [W]$$

Gostota svetlobnega toka:

$$j = \frac{dP}{dS} = \frac{P}{4\pi r^2} = \left[ \frac{W}{m^2} \right]$$

Svetilnost:

$$I = \frac{dP}{d\Omega} = \left[ \frac{W}{sr} \right]$$

$$I = r^2 \cdot j = BS_0 \cos \varphi$$

$$dI = B \cdot dS \cdot \cos \vartheta$$

Svetlost:

$$B = \frac{dI}{dS_0} = \left[ \frac{W}{sr \cdot m^2} \right]$$

Osvetljenost:

$$E = \frac{dP}{dS} = \left[ \frac{W}{m^2} \right]$$

$$E = j \cdot \cos \varphi$$

$$dE = \frac{dI \cdot \cos \vartheta}{r^2}$$

GEOMETRIJSKA OPTIKA:

Odboj in lom svetlobe:

Lomni količnik:

$$n = c_0/c$$

Lomni zakon:

$$n_1 \sin \alpha = n_2 \sin \beta$$

Totalni odboj:

$$\sin \beta_t = \frac{n_1}{n_2}$$

Gorišče:

f - goriščna razdalja

a - razdalja predmeta od zrcala

b - razdalja slike od zrcala

d - dioptrija

$$\frac{1}{f} = \frac{1}{a} + \frac{1}{b}$$

$$d = a + b = a_1 + a_2 = b_1 + b_2$$

Gor. razdalja zbiral. krogelnega zrcala:

r - radij krogle ali krivinski polmer

$$f = \frac{r}{2}$$

Povečava:

$$N = b/a$$

Bikonveksna leča:

$$\frac{1}{f_1} = \left( \frac{n}{n_1} - 1 \right) \frac{2}{r}$$

Sestavi ne razmaknjenih leč:

$$\frac{1}{f} = \frac{1}{f_1} + \frac{1}{f_2}$$

**Povečava lupe:**

$\alpha$  – kot pod katerim vidimo predmet z lupo

$\alpha_0$  – kot pod katerim vidimo predmet z prostim očesom

$$N = \frac{\tan \alpha}{\tan \alpha_0} = \frac{a_0}{f}$$

**Povečava mikroskopa:**

$f$  – gorišče objektiva

$f'$  – gorišče okularja

$x'$  – razdalja med goriščema (tubus)

$a_0$  – normalna zorna razdalja

$$N = \frac{\tan \alpha}{\tan \alpha_0} = \frac{a_0 \cdot x'}{f \cdot f'}$$

$$\tan \alpha_0 = \frac{y}{a_0}$$

$$\frac{y'}{y} = \frac{b}{a}, \dots, \tan \alpha = \frac{y'}{f_2}$$

**Daljnogled:**

$$N = \frac{\tan \alpha}{\tan \alpha_0} = \frac{f}{f'}$$

## POSEBNA TEORIJA RELATIVNOSTI

**Transformacija za hitrosti:**

$$v'_x = \frac{v_x - v_0}{\left( 1 - \frac{v_0 v_x}{c_0^2} \right)}$$

$$v'_y = \frac{v_y}{\gamma_0 \left( 1 - \frac{v_0 v_x}{c_0^2} \right)}$$

$$v'_z = \frac{v_z}{\gamma_0 \left( 1 - \frac{v_0 v_x}{c_0^2} \right)}$$

Obratna transformacija:

$$v_x = \frac{v'_x + v_0}{\left( 1 + \frac{v_0 v'_x}{c_0^2} \right)}$$

$$v_y = \frac{v'_y}{\gamma_0 \left( 1 + \frac{v_0 v'_x}{c_0^2} \right)}$$

$$v_z = \frac{v'_z}{\gamma_0 \left( 1 + \frac{v_0 v'_x}{c_0^2} \right)}$$

**Skrčenje dolžin:**

Palica miruje v sistemu S:

$$x_2 - x_1 = L$$

Dogodek 1:

$$t_1 = 0 \quad x_1 = 0$$

Dogodek 2:

$$t_2 = \frac{v_0 L}{c_0^2} \quad x_2 = L$$

Lorentzova transformacija

Sistem S':

Dogodek 1:

$$t'_1 = 0 \quad x'_1 = 0$$

Dogodek 2:

$$t'_2 = 0 \quad x'_2 = \frac{L}{\gamma_0}$$

$$x'_2 - x'_1 = \frac{L}{\gamma_0} = L'$$

**Podaljšanje časa**

1. dogodek: mesto  $x$ , čas  $t_1$

2. dogodek: mesto  $x$ , čas  $t_2$

$$\Delta t = t_2 - t_1$$

Lorentzova transformacija:

$$t'_1 = \gamma_0 \left( t_1 - \frac{v_0 x}{c_0^2} \right)$$

$$t'_2 = \gamma_0 \left( t_2 - \frac{v_0 x}{c_0^2} \right)$$

$$t' = t'_2 - t'_1 = \gamma_0 (t_2 - t_1) = \gamma \tau$$

$$\Delta t' = \gamma_0 \Delta t$$

$$t_1 = \gamma \left( t'_1 + \frac{v \cdot x'_1}{c^2} \right)$$

$$t_2 = \gamma \left( t'_2 + \frac{v \cdot x'_2}{c^2} \right)$$

$$x'_1 = \gamma (x_1 - vt_1)$$

$$x'_2 = \gamma (x_2 - vt_2)$$

$\Delta t' \geq \Delta t \Rightarrow$  za gibajočega

opazovalca dogodki potekajo počasneje

kot za opazovalca, ki miruje ob dogodkih.

## ZAKONI GIBANJA

**Gibanje delca**

$dt$  – čas, ki ga izmeri opazovalec, ki opazuje gibanje točkastega telesa

$d\tau$  – lastni čas, ki ga izmeri opazovalec, ki se giblje skupaj z delcem

$$dt = \gamma d\tau$$

$$\gamma = \frac{1}{\sqrt{1 - \frac{v^2}{c_0^2}}}, \dots, \gamma^2 = \frac{v^2 \gamma^2}{c^2} + 1$$

$$v = \sqrt{1 - \frac{1}{\gamma^2}} \cdot c$$

**GIBALNA KOLIČINA**

$E$  – polna energija

$m_0$  ali  $mc^2$  – mirovna masa

$p$  – gibalna količina

$$E = mc^2 = \left[ \frac{eV}{c^2} \right]$$

$$E = W_k + m_0 c^2$$

$$E = \sqrt{p^2 c^2 + m_0^2 c^4}$$

$$W_k = mc^2 (\gamma - 1) = [eV]$$

$$p = \gamma mv = e_0 Et = \left[ \frac{eV}{c} \right]$$

$$p = \sqrt{\frac{W_k^2 + 2W_k mc^2}{c^2}}$$

**De Brogliejeva val dolžina:**

Fotoni:

$$P = t \cdot k = \frac{h}{\lambda}$$

$$W = t \cdot \omega$$

$$t = \frac{h}{2\pi}$$

$$k = \frac{2\pi}{\lambda}$$

Elektroni:

$$\lambda_B = \frac{h}{P} = \frac{h}{m \cdot v}$$