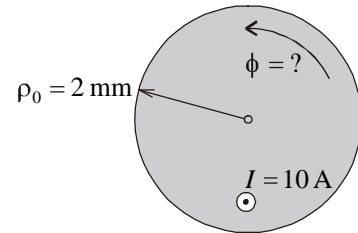
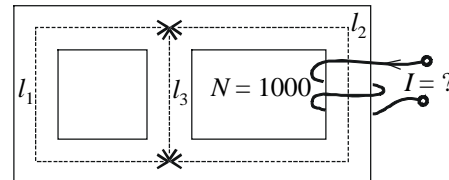


OSNOVE ELEKTROTEHNIKE II (VŠŠ)
izpit, 26. januarja 1999

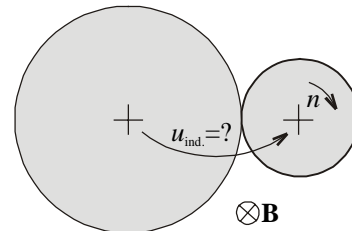
1. V jekleni žici permeabilnosti $1000\mu_0$ in polmera 2 mm teče tok $I = 10 \text{ A}$ z enakomerno porazdeljeno gostoto po prerezu. Izračunajte magnetni fluks ϕ v notranjosti žice na dolžini $l = 10 \text{ m}$!



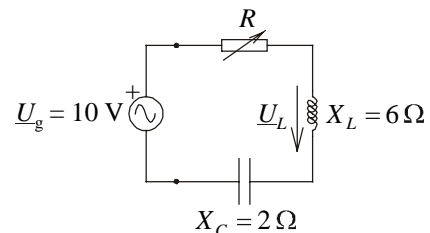
2. S kolikšni tokom I tuljave, ki ima 1000 ovojev, moramo magnetiti tristebno jedro ($l_1 = 0.9 \text{ m}$, $l_2 = 1.2 \text{ m}$ in $l_3 = 0.3 \text{ m}$) iz transformatorske pločevine, da bo magnetna gostota v levem stebru 0.5 T ? (Magnetilna krivulja je na hrbtni strani lista.)



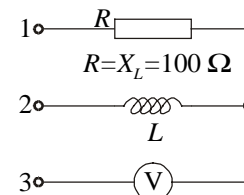
3. Desni kolut ženemo z n obrati na minuto, levi pa se brez drsenja vrti ob njem v obratni smeri. Polmer desnega je $a/2$ polmer levega pa a . Izrazite inducirano napetost med osema kolutov, če se ta dva vrtita v homogenem magnetnem polju gostote B , ki vpada pravokotno nanju!



4. Določite tirnico napetosti na tuljavi (zaporednega nihajnega kroga), ko se vrednost upornosti upora spreminja med skrajnima mejama ($0 \leq R < \infty$)! Grafično določite upornost upora R tako, da bo delovna moč vezja največja!



5. Kolikšen je odčitek idealnega voltmetra, ko tripolno vezje priključimo na pozitiven simetričen sistem medfaznih napetosti $3 \times 400 \text{ V}_{ef}$?



OSNOVE ELEKTROTEHNIKE II (VSŠ)

Izpit, 26. 01. 1999, Rešitve

1.

$$\oint_{\mathcal{L}} \vec{H} \cdot d\vec{l} = \int_{\mathcal{A}} \vec{J} \cdot d\vec{a} \Rightarrow H_{\varphi}(\rho) \cdot 2\pi\rho = \frac{I}{\rho_0^2\pi} \rho^2\pi \Rightarrow B_{\varphi}(\rho) = \frac{\mu I}{2\pi\rho_0^2} \rho$$

$$\phi = \int_0^{\rho_0} B_{\varphi}(\rho) d\rho = \frac{\mu I l}{2\pi\rho_0^2} \frac{\rho_0^2}{2} = \frac{1000\mu_0 I l}{4\pi} = 0.01 \text{ Vs}$$

2.

$$B_1 = 0.5 \text{ T} \Rightarrow H_1 \cong 50 \text{ A/m}, \quad H_3 l_3 = H_1 l_1 \Rightarrow H_3 \cong 150 \text{ A/m} \Rightarrow B_3 \cong 0.95 \text{ T}$$

$$B_2 = B_1 + B_3 \cong 1.45 \text{ T} \Rightarrow H_2 \cong 2000 \text{ A/m}, \quad NI = H_2 l_2 + H_1 l_1 \cong 2445 \text{ A} \Rightarrow I \cong 2.45 \text{ A}$$

3.

$$u_{\text{ind.}} = u_{\text{ind.1}} + u_{\text{ind.2}} = -\pi \left(\frac{a}{2}\right)^2 B f_1 - \pi a^2 B f_2, \quad f_1 = \frac{n}{60}, \quad f_2 = \frac{n/2}{60}$$

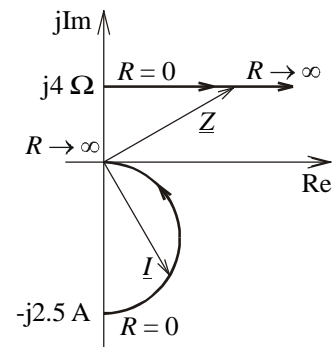
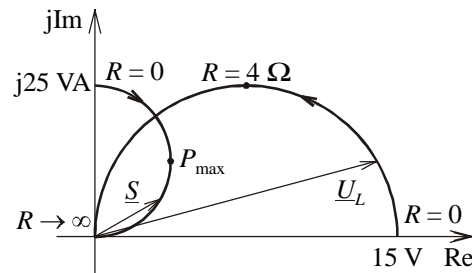
$$u_{\text{ind.}} = -\pi a^2 B \frac{n}{60} \left(\frac{1}{4} + \frac{1}{2}\right) = -\frac{1}{80} \pi a^2 B n$$

4.

$$\underline{Z} = R + j(X_L - X_C), \quad \underline{Y} = 1/\underline{Z}, \quad \underline{I} = \underline{U}_g \underline{Y} = (10 \text{ V}) \underline{Y}$$

$$\underline{U}_L = jX_L \underline{I} = j(6 \Omega) \underline{I}, \quad \underline{S} = \underline{U}_g \underline{I}^* = (10 \text{ V}) \underline{I}^*$$

$$R|_{\text{pri } P \text{ je max}} = j(X_L - X_C) = 4 \Omega$$



5.

$$\underline{U}_V = \underline{U}_{13} - \frac{\underline{U}_{12} R}{R + jX_L} = \underline{U}_{13} - \frac{\underline{U}_{12}}{1 + jX_L/R}$$

$$\underline{U}_V = \underline{U}_{12} \left(e^{-j60^\circ} - \frac{1-j}{2} \right) = -\underline{U}_{12} j \frac{\sqrt{3}-1}{2}, \quad U_{V,\text{ef}} = U_{m,\text{ef}} \frac{\sqrt{3}-1}{2} \cong 146.4 \text{ V}$$