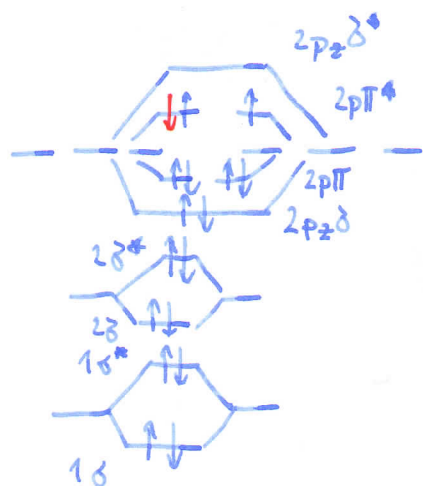


Ali se molekula stabilizira ali destabilizira pri sprejemu ali oddaji e^- ?

O₂



$$b = \frac{10-6}{2} = \underline{\underline{2}}$$

sprejem e^- : O₂⁻ superoksidni ion

↓

$$b = \frac{10-7}{2} = \underline{\underline{1,5}} \text{ - neugodno, če sprejme } e^-$$

oddaja e^- : O₂⁺

↓

$$b = \frac{10-5}{2} = \underline{\underline{2,5}} \text{ - ugodno}$$

oddaja $2e^-$: O₂²⁺

↓

$$b = \frac{10-4}{2} = \underline{\underline{3}} \text{ - ugodno}$$

sprejem $2e^-$: O₂²⁻ peroksidni ion

↓

$$b = \frac{10-8}{2} = \underline{\underline{1}} \text{ - neugodno, če sprejme } 2e^-$$

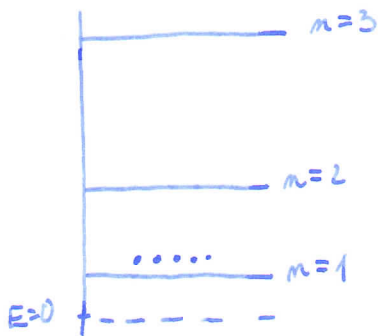
za O₂ je bolj UGODNO,
če odda(ja) e⁻

Imamo π^0 fot. jama dobljine 10 \AA . V ID fot. jamo spravimo 5 nevtralnih pionov π^0 (spin 1 in $E_0 = 135 \text{ MeV}$). Kakšna je osnovna energija tega sistema?

$E_0 = mc^2$ ~ izračun mase

$$E = \frac{n^2 h^2}{8ma^2}$$

$$m = \frac{E_0}{c^2} = \frac{135 \cdot 10^6 \text{ eV} \cdot 1,6 \cdot 10^{-19} \text{ A}_s / \text{eV}}{(3 \cdot 10^8)^2 \text{ m}^2 / \text{s}^2} = \underline{2,4 \cdot 10^{-28} \text{ kg}}$$

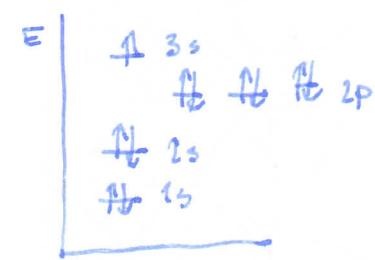


BOZONI - spin 1 } n. pionov ~ več jih gre na isti nivo
 FERMIONI - spin $\frac{1}{2}$ } elektroni ...
 KVARKI - spin $\frac{1}{3}$

$$\begin{aligned} E_{\text{skupna ENERGIJA}} &= 5 \cdot E_{1 \text{ nev. pion}} = \\ &= 5 \cdot \frac{n^2 h^2}{8ma^2} = \\ &= 5 \cdot \frac{1 \cdot (6,62 \cdot 10^{-34} \text{ J}\cdot\text{s})^2}{8 \cdot 2,4 \cdot 10^{-28} \text{ kg} \cdot (10 \cdot 10^{-10} \text{ m})^2} = \\ &= 5 \cdot 2,28 \cdot 10^{-22} \text{ J} = \\ &= \underline{1,14 \cdot 10^{-21} \text{ J}} \end{aligned}$$

Jon. E Na je $5,11 \text{ eV}$, Jon. E v razbujenem stanju $3,02 \text{ eV}$. Kakšna je valovna dobljina fotona, ki ga Na absorbira pri prehodu iz osnovnega na razbujeno stanje. Kakšna je naravna širina te črte; razpadni čas določi kot da se obnaša kot harmonski oscilator?

$E_i = 5,11 \text{ eV}$
 $E_{v i} = 3,02 \text{ eV}$
 $E_{3s} = -5,11 \text{ eV}$
 $E_p = -3,02 \text{ eV}$



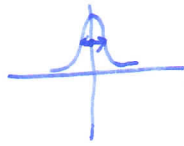
$$\Delta E = E_p - E_{3s} = -3,02 \text{ eV} - (-5,11 \text{ eV}) = \underline{2,09 \text{ eV}}$$

$$\begin{aligned} \Delta E &= h\nu \\ \nu &= \frac{\Delta E}{h} = \frac{2,09 \cdot 1,6 \cdot 10^{-19} \text{ J/eV}}{6,62 \cdot 10^{-34} \text{ J}\cdot\text{s}} = 5,05 \cdot 10^{14} \text{ s}^{-1} \\ \lambda &= \frac{c}{\nu} = \frac{3 \cdot 10^8 \text{ m/s}}{5,05 \cdot 10^{14} \text{ s}^{-1}} \\ &= 5,94 \cdot 10^{-7} \\ &= \underline{593 \text{ nm}} \end{aligned}$$

$$\Delta E \cdot t \geq \hbar$$

#

$$\Delta E = 2.09 \text{ eV}$$



$$\frac{1}{\int} = \frac{\omega_{qu}^2 p_{qu}^2}{3\pi \epsilon_0 c_0^3 \hbar}$$

$$\omega = \frac{E}{\hbar} \sim \text{inamo padano}$$

$$1 \text{ --- } \psi_1 = N_1 \cdot x e^{-ax^2}$$

$$0 \text{ --- } \psi_0 = N_0 e^{-ax^2}$$

$$p = -e_0 \int_{-\infty}^{\infty} \psi_n \times \psi_m dx$$

$$\langle \psi_0 | \psi_0 \rangle = 1$$

$$\begin{aligned} \int_{-\infty}^{\infty} \psi_0 \psi_0 dx &= \int_{-\infty}^{\infty} (N_0 e^{-ax^2})^2 dx = \\ &= N_0^2 \int_{-\infty}^{\infty} (e^{-ax^2})^2 dx = N_0^2 \int_{-\infty}^{\infty} e^{-2ax^2} dx = \\ &= 2 N_0^2 \int_0^{\infty} e^{-2ax^2} dx = \underline{2 N_0^2 \left(\frac{\sqrt{\pi}}{2\sqrt{2a}} \right)} = 1 \end{aligned}$$

$$N_0^2 = \frac{1}{2 \left(\frac{\sqrt{\pi}}{2\sqrt{2a}} \right)}$$

$$N_0 = \sqrt{\frac{\sqrt{2a}}{\sqrt{\pi}}}$$

$$N_0 = \underline{\underline{\frac{\sqrt[4]{2a}}{\sqrt{\pi}}}}$$

$$\langle \psi_1 | \psi_1 \rangle = 1$$

$$\begin{aligned} \int_{-\infty}^{\infty} \psi_1 \psi_1 dx &= \int_{-\infty}^{\infty} (N_1 x e^{-ax^2})^2 dx = N_1^2 \int_{-\infty}^{\infty} x^2 e^{-2ax^2} dx = \\ &= 2 N_1^2 \int_0^{\infty} x^2 e^{-2ax^2} dx = 2 N_1^2 \left(\frac{\sqrt{\pi}}{2 \sqrt{(2a)^{\frac{3}{2}}}} \right) = 1 \end{aligned}$$

$$N_1^2 \cdot \frac{\sqrt{\pi}}{2(2a)^{\frac{3}{2}}} = 1$$

$$N_1 = \underline{\underline{\frac{\sqrt{2} (2a)^{\frac{3}{4}}}{\sqrt{\pi}}}}$$

$$\begin{aligned}
 p &= -e_0 \int_{-\infty}^{\infty} \psi_0 \times \psi_1 dx = -e_0 \int_{-\infty}^{\infty} \sqrt{\frac{2a}{\pi}} \cdot e^{-ax^2} \cdot \frac{\sqrt{2}(2a)^{\frac{3}{4}}}{4\sqrt{\pi}} \times e^{-ax^2} dx = \\
 &= -e_0 \sqrt{\frac{2a}{\pi}} \cdot \frac{4(2a)^{\frac{3}{4}}}{4\sqrt{\pi}} \int_{-\infty}^{\infty} e^{-2ax^2} x^2 dx = \\
 &= -e_0 \sqrt{\frac{(2a)^4}{\pi^2}} \cdot 2 \int_0^{\infty} e^{-2ax^2} x^2 dx = \\
 &= -e_0 \cdot 2a \sqrt{\frac{4}{\pi^2}} \cdot \left(\frac{\sqrt{\pi}}{4(2a)^{\frac{3}{2}}} \right) = -e_0 \cdot a \sqrt{\frac{4}{\pi^2}} \cdot \frac{\sqrt{\pi}}{(2a)^{\frac{3}{2}}} = \underline{\underline{\frac{-e_0}{2\sqrt{a}}}
 \end{aligned}$$

$$p = -\frac{e_0}{2\sqrt{a}}$$

$$\omega = \frac{E}{\hbar}$$

$$\omega = \frac{2,09 \cdot 1,6 \cdot 10^{-19} \text{ J/eV}}{1,055 \cdot 10^{-34} \text{ Js}} = 3,17 \cdot 10^{15} \text{ s}^{-1}$$

$$p = -\frac{e_0}{2\sqrt{a}}$$

$$\text{har. os. : } \hbar \omega = \Delta E$$

$$a = \frac{m\omega}{2\hbar} =$$

$$p = \frac{-1,6 \cdot 10^{-19} \text{ As m}}{2 \cdot \sqrt{1,37 \cdot 10^{-19}}} = \underline{\underline{-2,16 \cdot 10^{-29} \text{ As m}}}$$

$$= \frac{9,1 \cdot 10^{-31} \text{ kg} \cdot 3,17 \cdot 10^{15} \text{ s}^{-1}}{2 \cdot 1,055 \cdot 10^{-34} \text{ Js}} = \underline{\underline{1,37 \cdot 10^{19} \text{ m}^{-2}}}$$

$$\begin{aligned}
 \bar{J} &= \frac{3\pi \epsilon_0 c \omega^3 \hbar}{\omega_{gr}^2 p e_{gr}^2} = \frac{3\pi \cdot 8,85 \cdot 10^{-12} \cdot (3 \cdot 10^8 \text{ m/s})^3 \cdot 1,055 \cdot 10^{-34} \text{ Js}}{(3,17 \cdot 10^{15} \text{ /s})^2 \cdot (-2,16 \cdot 10^{-29} \text{ As m})^2} = \\
 &= \underline{\underline{1,6 \cdot 10^{-8} \text{ s}}}
 \end{aligned}$$

$$\Delta E \cdot \bar{J} = \hbar$$

$$\Delta E = \frac{\hbar}{\bar{J}} = \frac{1,055 \cdot 10^{-34} \text{ Js}}{1,6 \cdot 10^{-8} \text{ s} \cdot 1,6 \cdot 10^{-13} \text{ J}} = \underline{\underline{4,1 \cdot 10^{-8} \text{ eV}}}$$