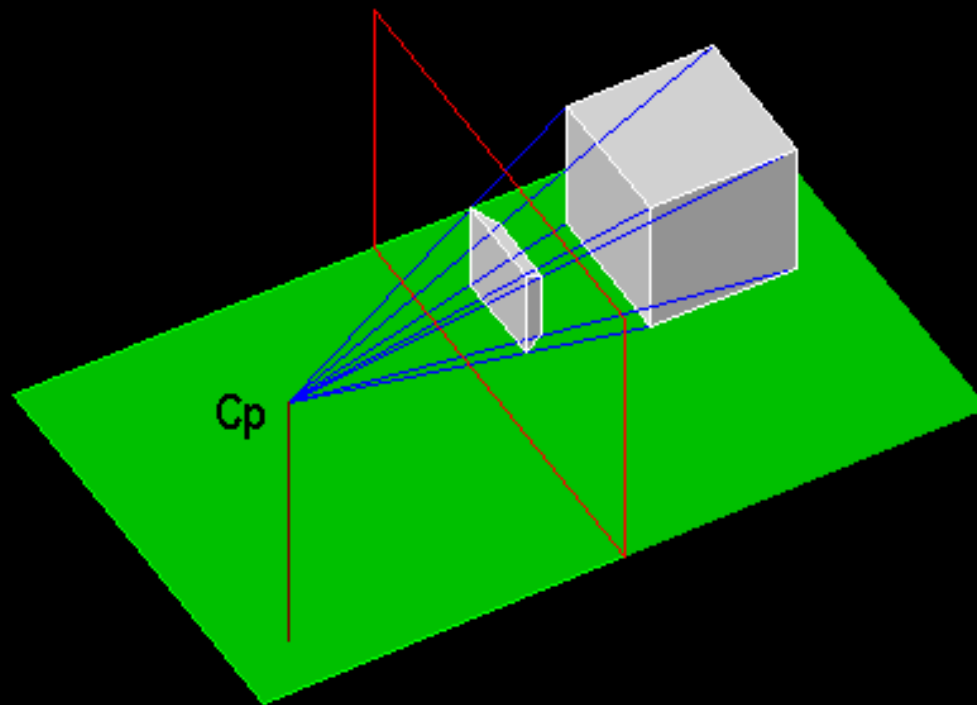
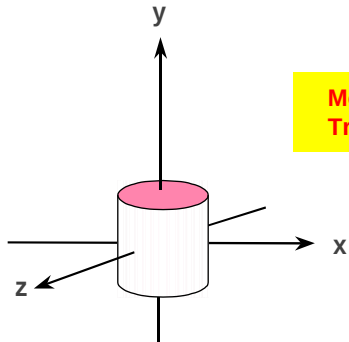


# Gledanje - kamera



# Cevovod gledanja (Graphics Pipeline)

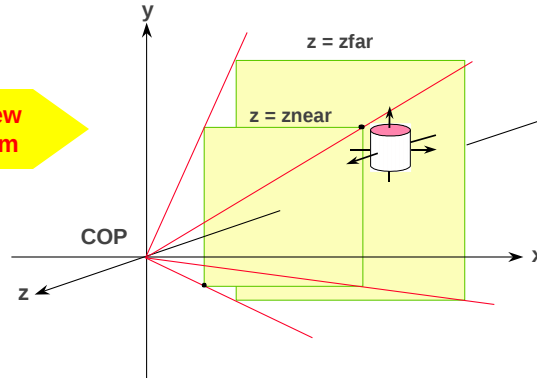
Model Coordinates



**Modelview Transform**

`glScalef()`  
`glRotatef()`  
`glTranslatef()`

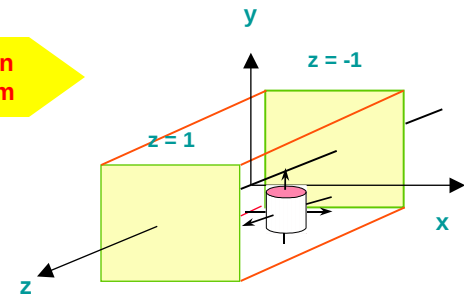
Eye Coordinates



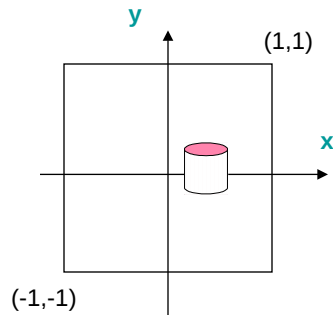
**Projection Transform**

`glFrustrum()`  
`gluPerspective()`

Normalized Coordinates



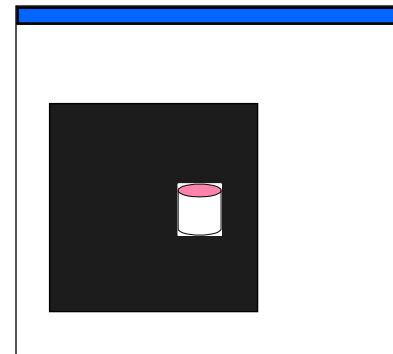
Projected Normalized Coordinates



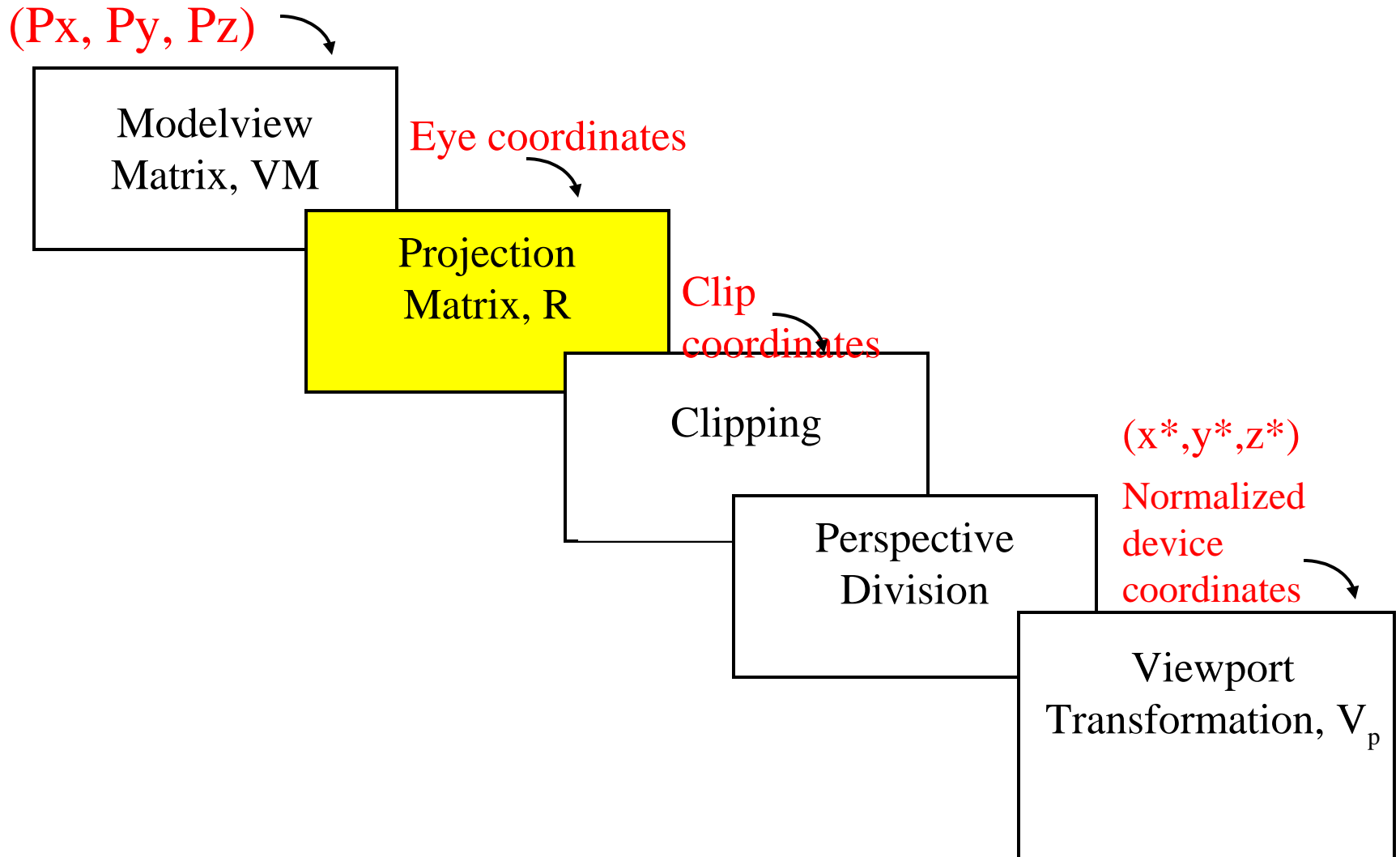
**Viewport Transform**

`glViewport()`

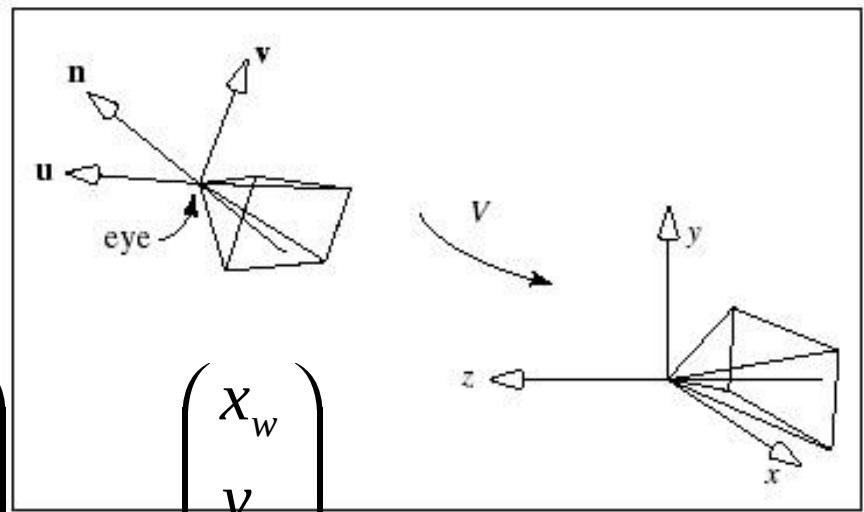
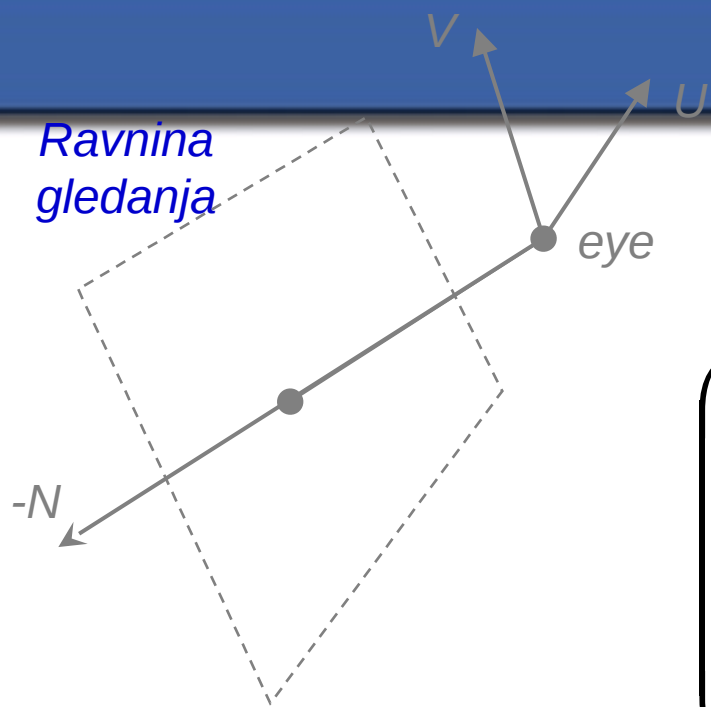
Window Coordinates



# Cevovod gledanja (viewing pipeline)



Ravnina gledanja



$$\begin{pmatrix} x_v \\ y_v \\ z_v \\ 1 \end{pmatrix} = T_{view} \begin{pmatrix} x_w \\ y_w \\ z_w \\ 1 \end{pmatrix}$$

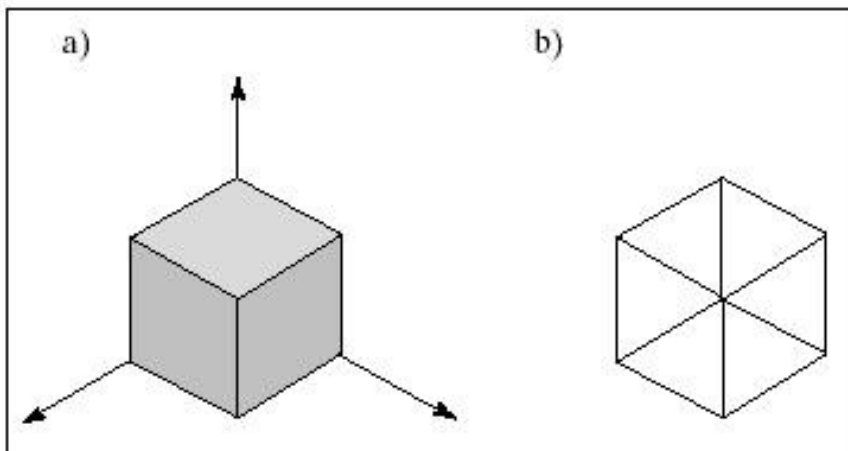
$$T_{view} = RT$$

$$T = \begin{pmatrix} 1 & 0 & 0 & -eVec \cdot U \\ 0 & 1 & 0 & -eVec \cdot V \\ 0 & 0 & 1 & -eVec \cdot N \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

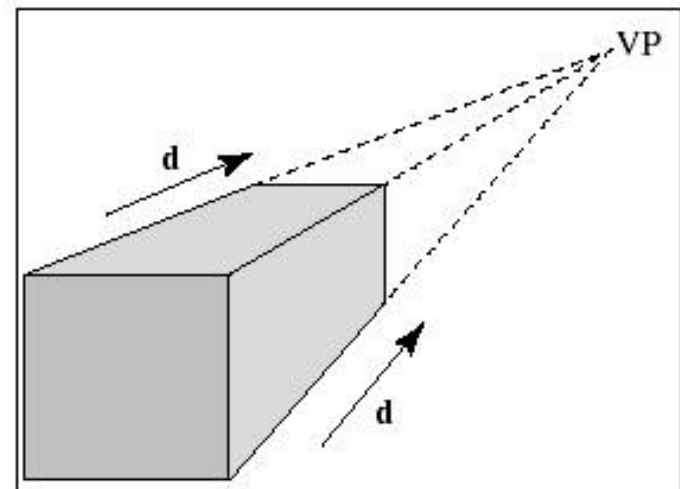
$$R = \begin{pmatrix} U_x & U_y & U_z & 0 \\ V_x & V_y & V_z & 0 \\ N_x & N_y & N_z & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

$$eVec = (eye - (0 \ 0 \ 0))$$

# Groba klasifikacija projekcij

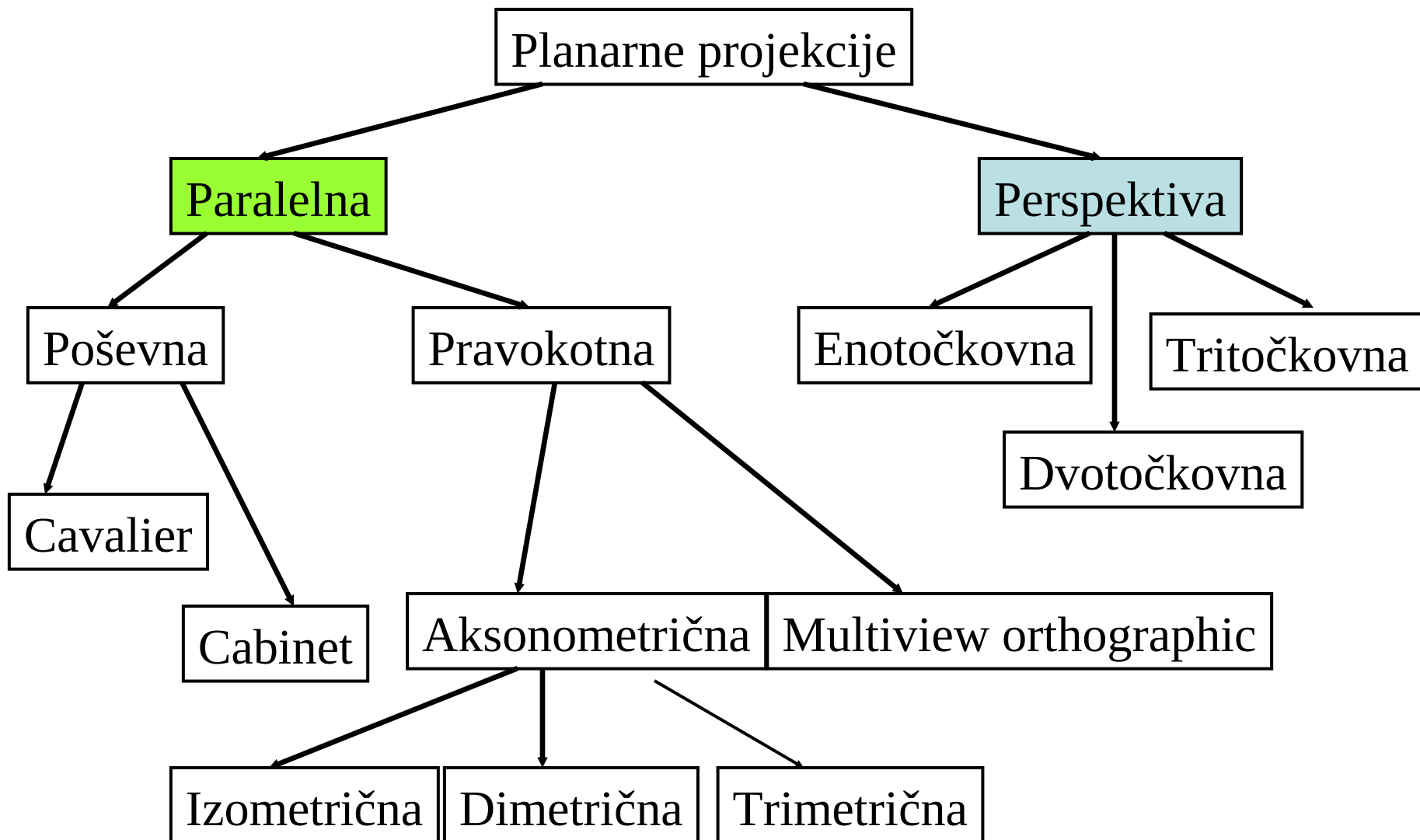


*Paralelna*



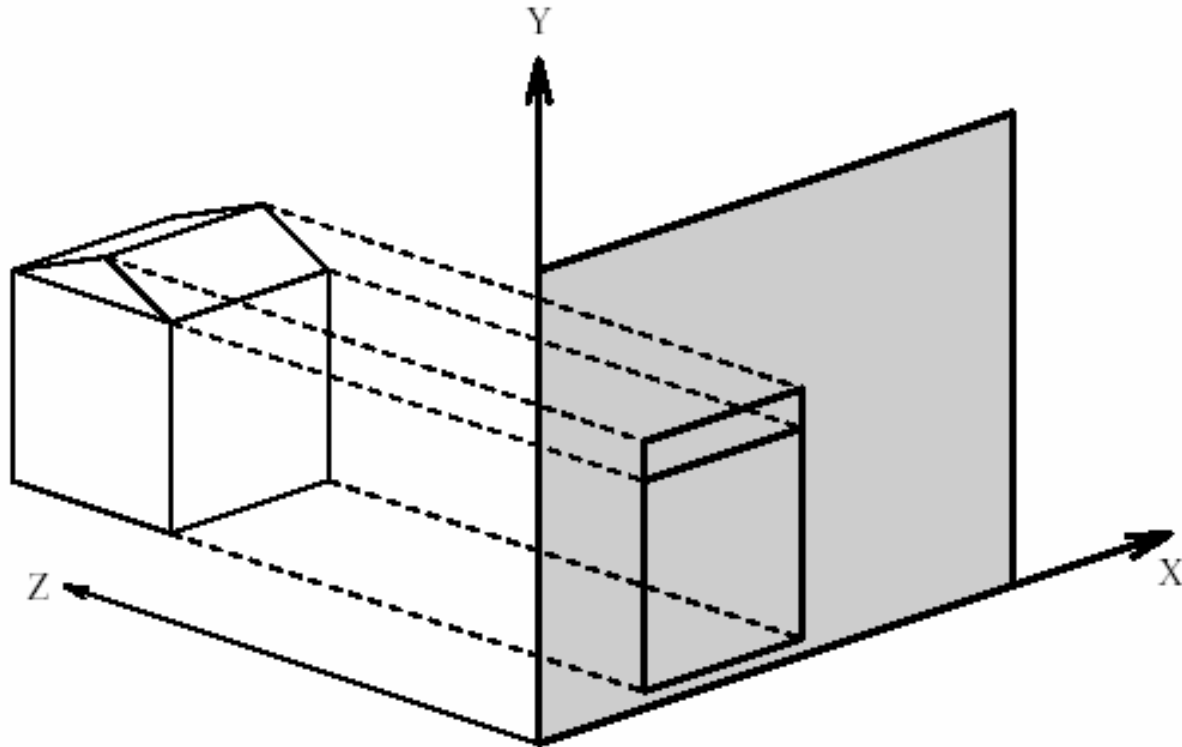
*Perspektiva*

# Klasifikacija planarnih projekcij



# Pravokotna (ortografska) projekcija

Je najbolj enostavna projekcija



# Ortografska projekcija

## Orthographic Projection

We define a vector  $(x_p, y_p, z_p)$  along which we will project the image. Each scene point  $(x, y, z)$  is projected in parallel along this vector until it strikes the X-Y viewing plane at point  $(x_{pl}, y_{pl})$ .

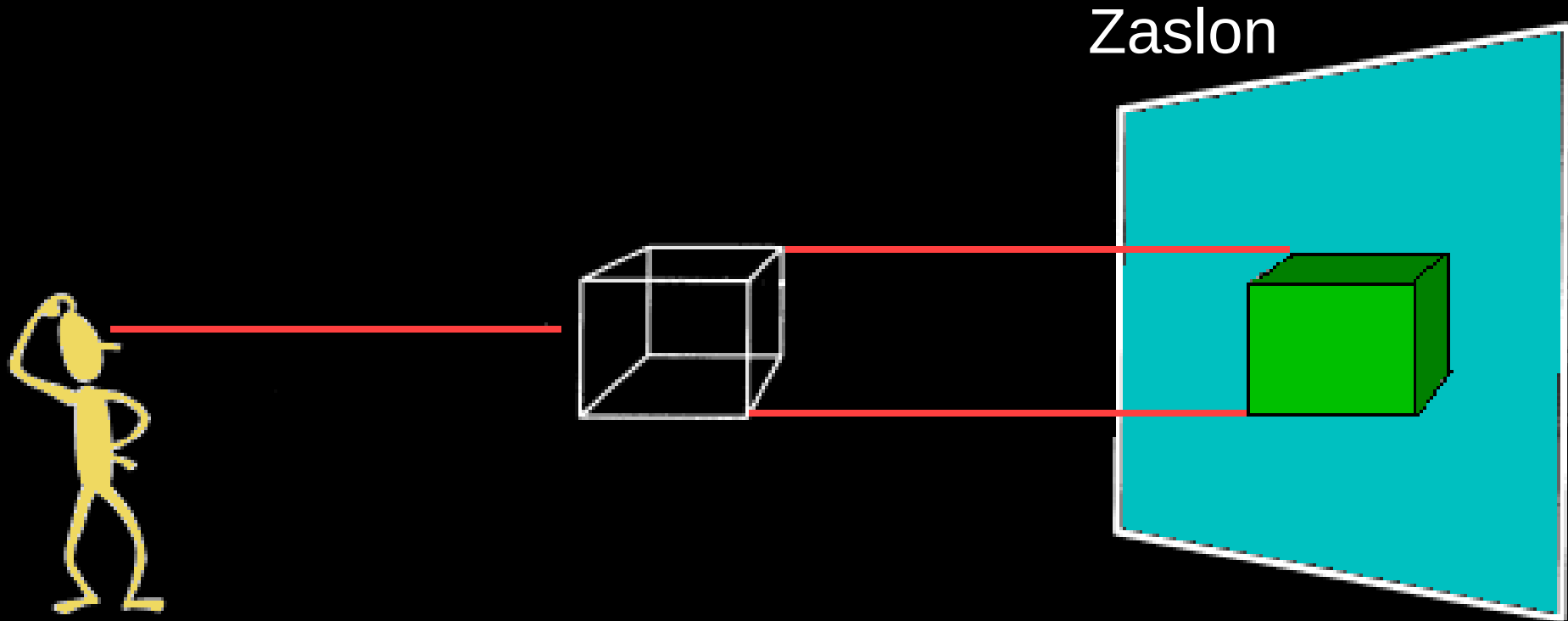
$$\begin{aligned}x_{pl} &= x - \frac{z}{z_p}x_p \\y_{pl} &= y - \frac{z}{z_p}y_p \\z_{pl} &= 0\end{aligned}$$

When the projection vector is  $(0, 0, -1)$  (i.e., projection along the  $-Z$  axis), this reduces to

$$\begin{aligned}x_{pl} &= x \\y_{pl} &= y \\z_{pl} &= 0\end{aligned}$$



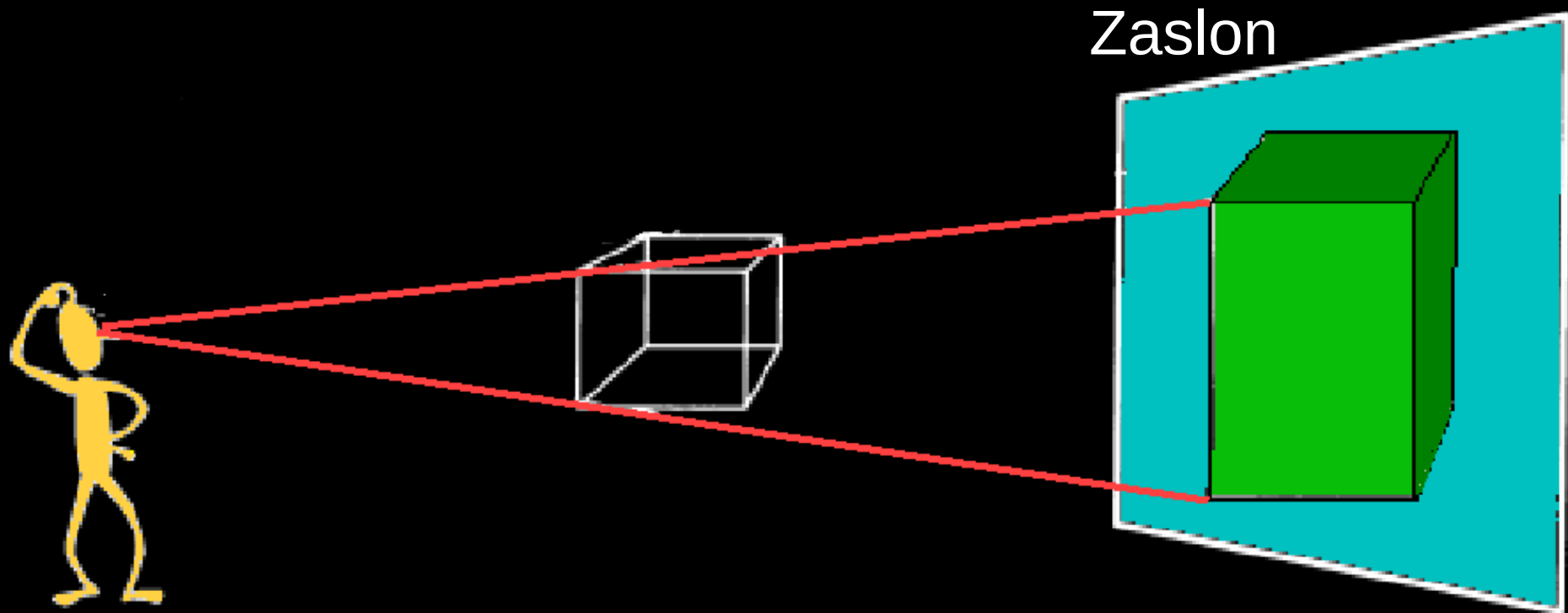
# Paralelna projekcija



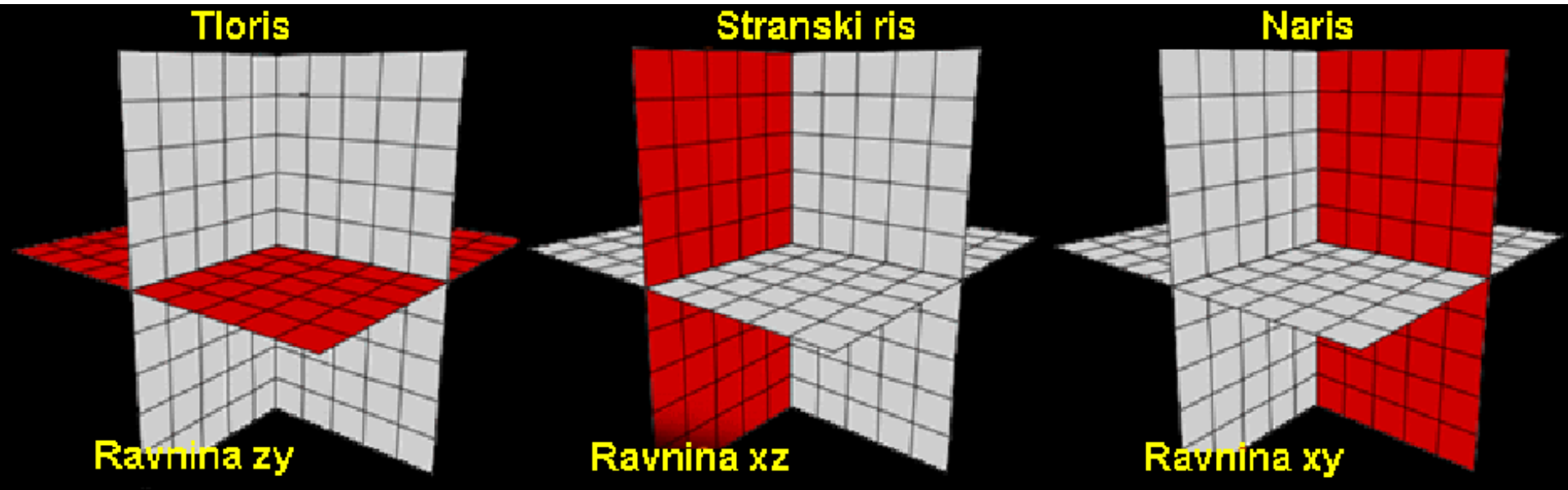
Dodajanje perspektive pogledu je le vprašanje skaliranja višine in širine predmeta, odvisno od tega, koliko je predmet oddaljen od zaslona.

Video

# Perspektiva

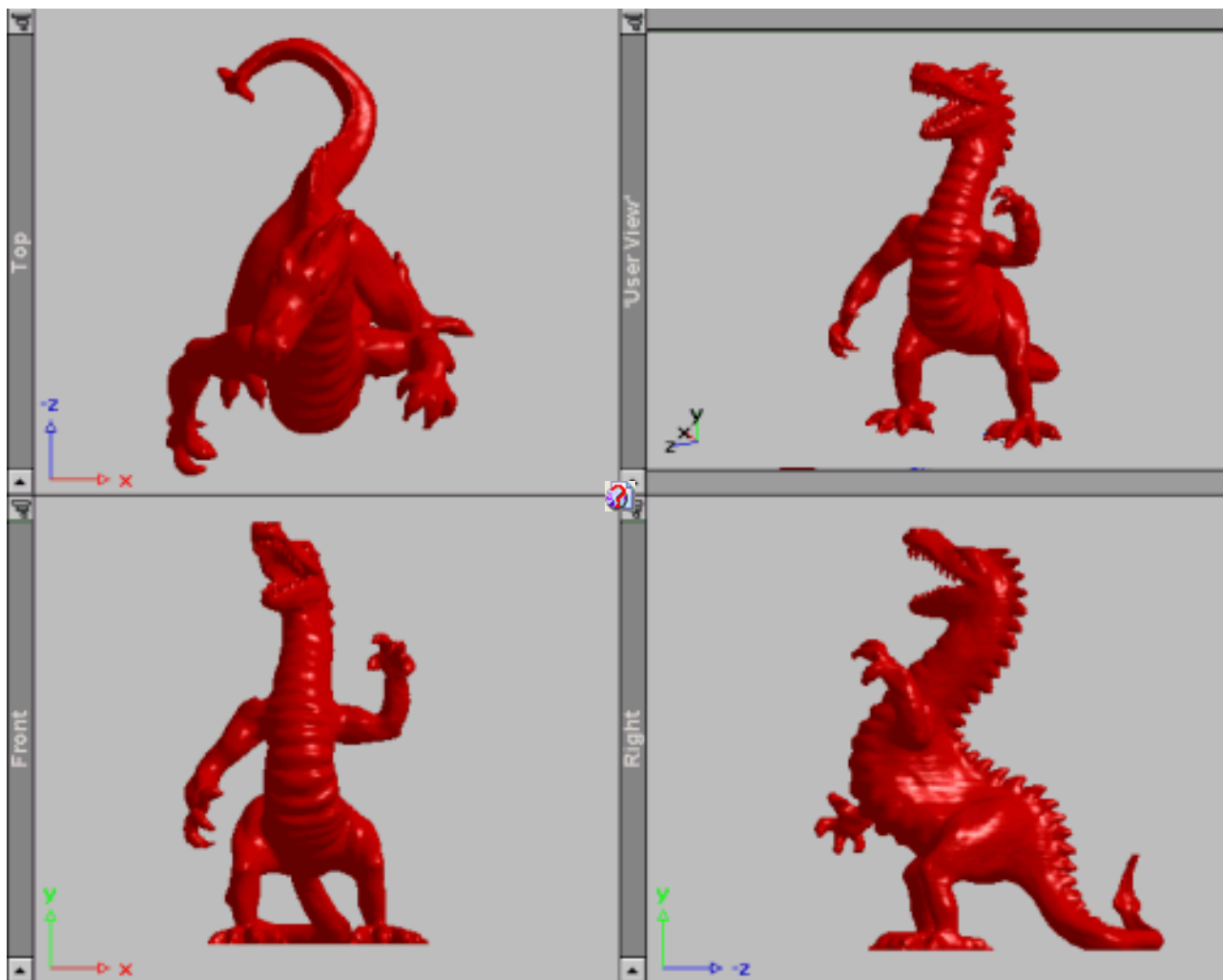


# Pogledi - projekcije na ravnine



Vzporedne poglede dobimo običajno s pravokotno, vzporedno projekcijo karakterističnih točk predmetov na eno od ravnin  $xz$ ,  $yz$  ali  $xy$

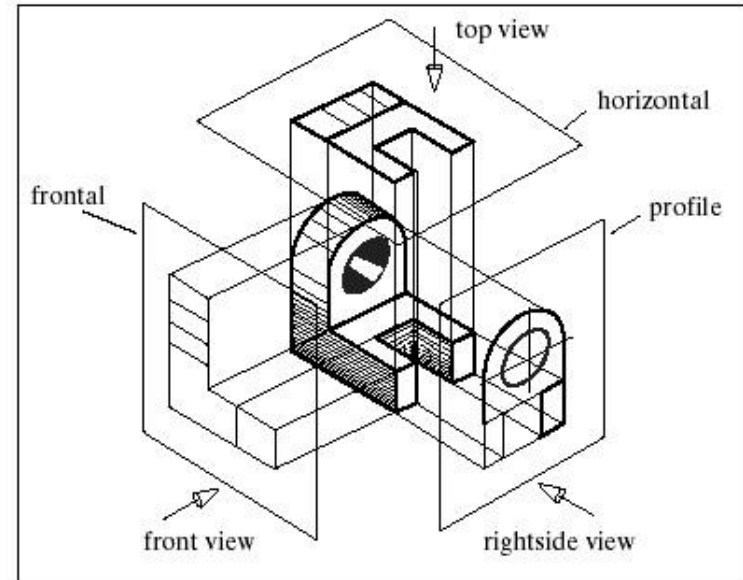
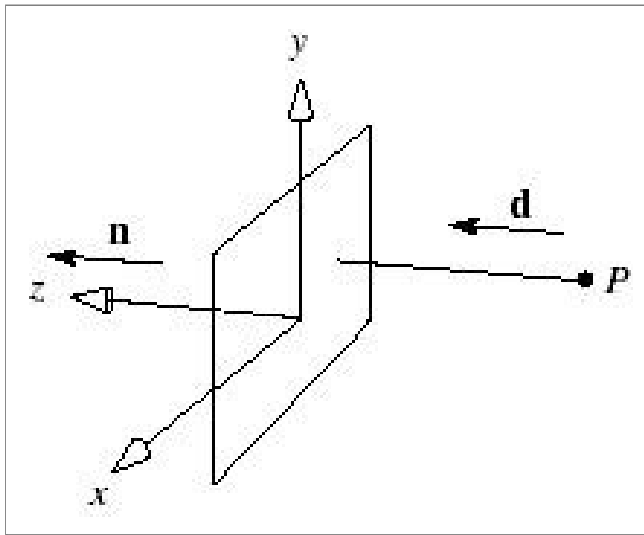
# Pogledi v tipičnem modelirniku



Sprednji, stranski-desni, tloris-zgornji pogled so vzporedni projekcijski pogledi.

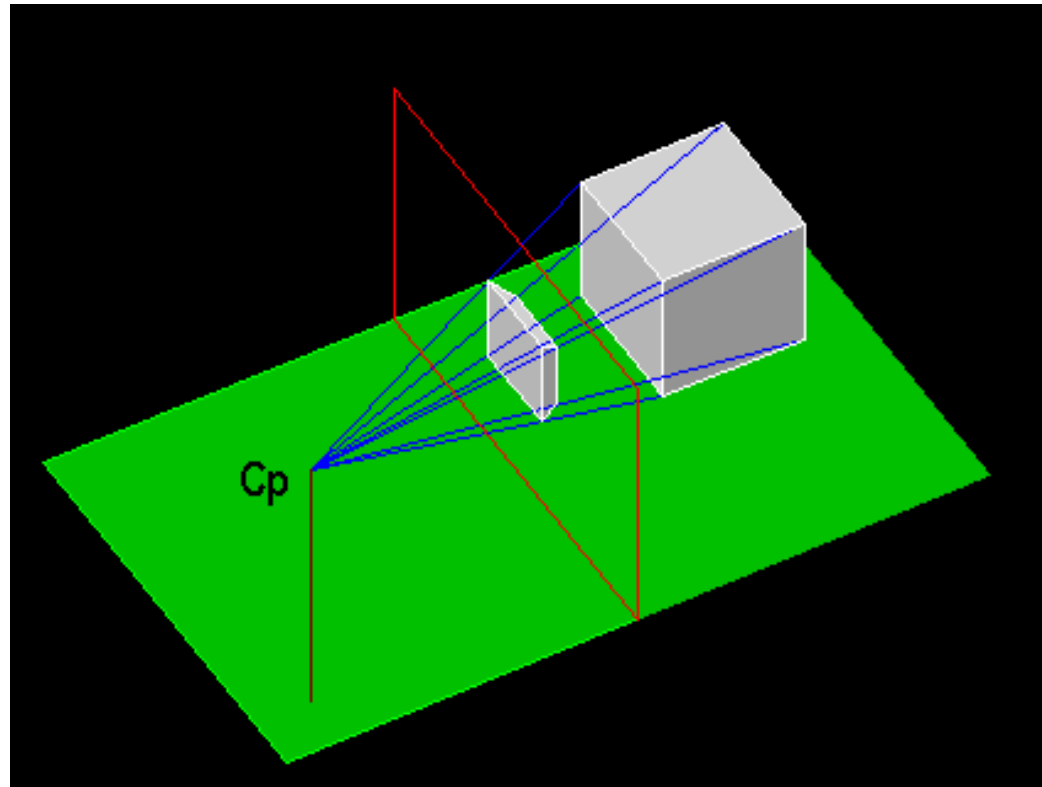
Črte v teh pogledih ne konvergirajo. Razdalja med objektom in kamero ne vpliva na velikost objekta, oddaljeni in bliznji predmeti so enako veliki.

# Paralelne pravokotne projekcije (ortografske)



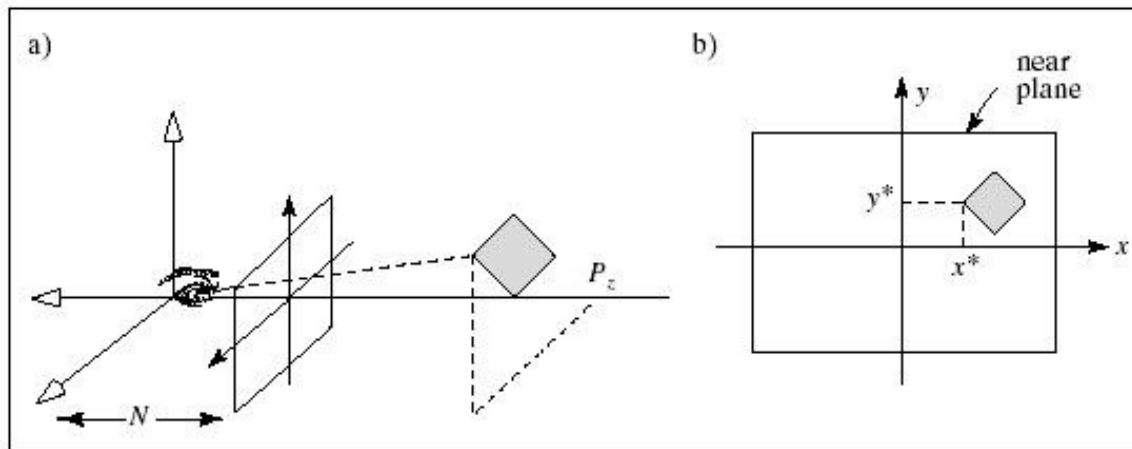
$$T_{proj} = T_{ort} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

# Perspektivna projekcija



Perspektivna projekcija vsebuje določen  $C_p$  in oponaša naš vid. Pri taki projekciji je velikost predmeta obratnosorazmerna od tega, kako daleč je objekt od  $C_p$ . Taka projekcija zglada realistično, vendar ne ohranja kotov in vzporednosti črt.

# Perspektivne projekcije



$$\begin{aligned} X &= x_v \\ Y &= y_v \\ Z &= z_v \\ w &= z_v/d \end{aligned} \quad T_{proj} = T_{pers} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 1/d & 1 \end{pmatrix}$$

opomba:  $d$  je na sliki  $N$

Perspektiva

$$x_s = X/w$$

$$y_s = Y/w$$

$$z_s = Z/w$$

*kjer je*

$$X = x_v$$

$$Y = y_v$$

$$Z = z_v$$

$$w = z_v/d$$

Paralelna  
(ortografska)

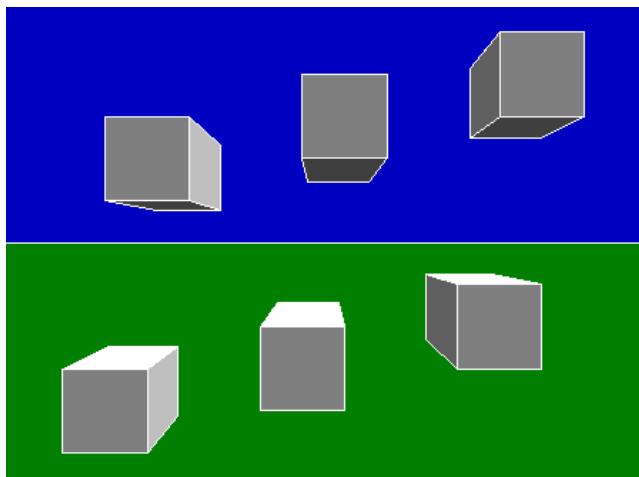
$$x_s = x_v$$

$$y_s = y_v$$

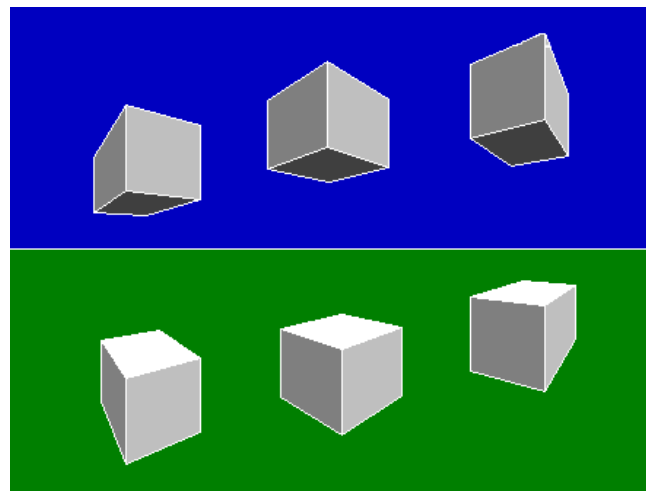
$$z_s = 0$$



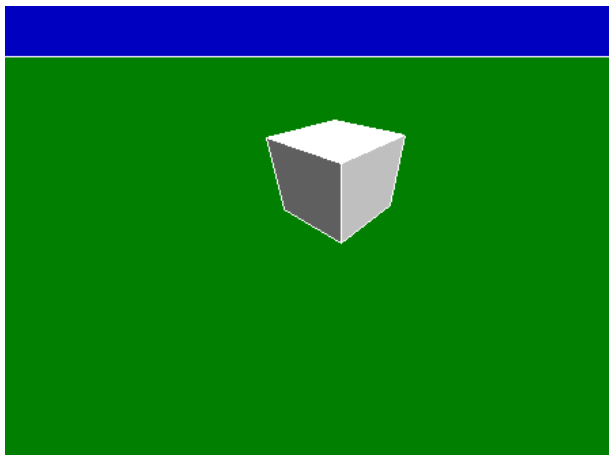
# Tipi perspektiv



Enotočkovna perspektiva



Dvotočkovna perspektiva



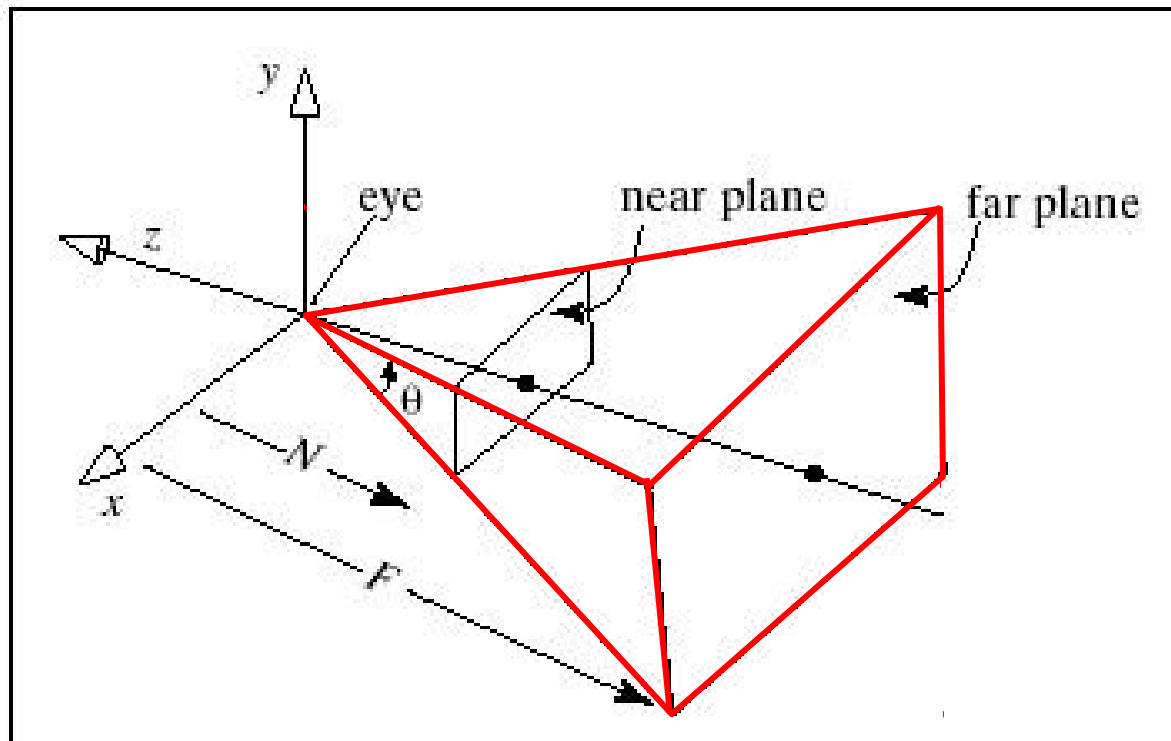
Tritočkovna perspektiva

# Lažna perspektiva

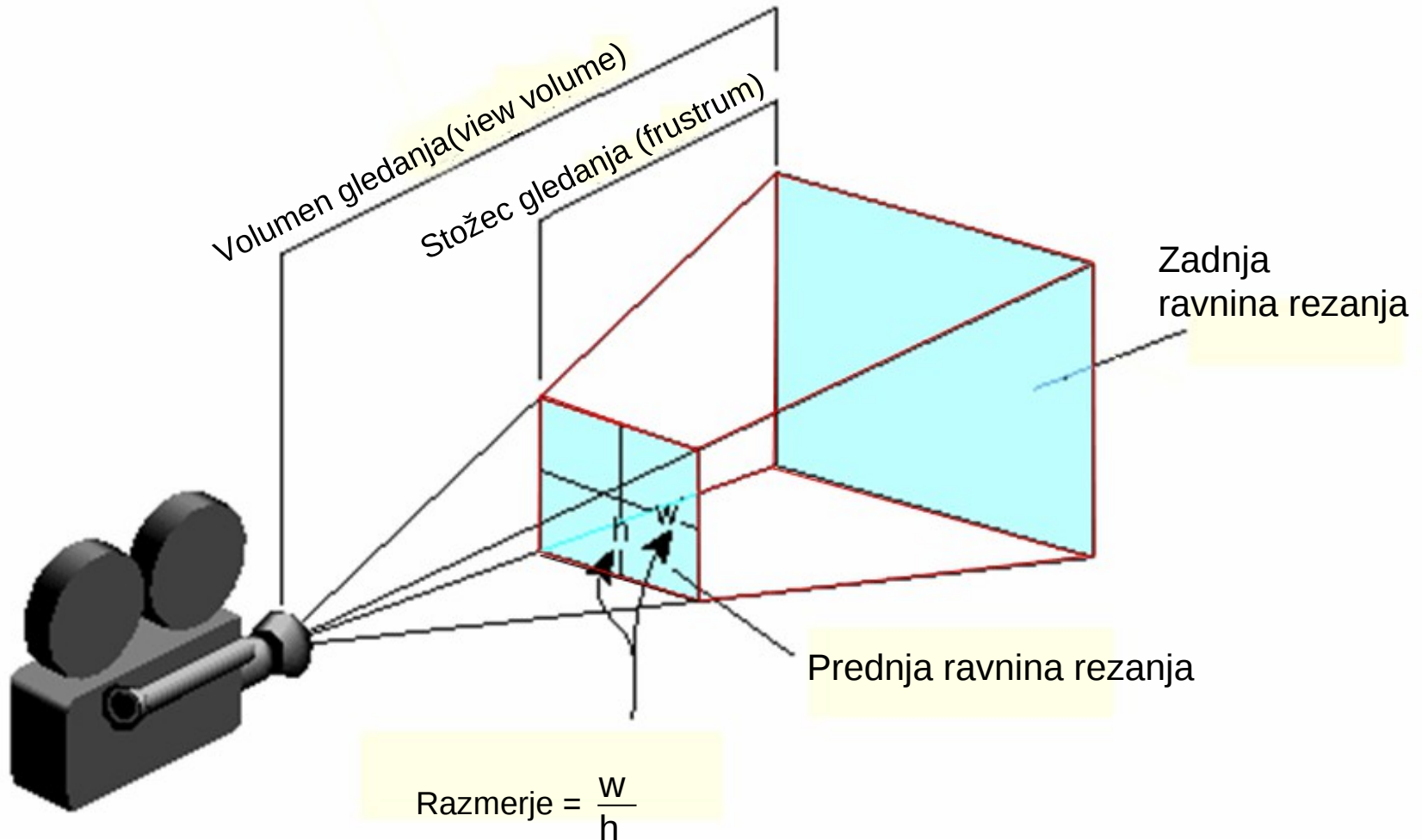


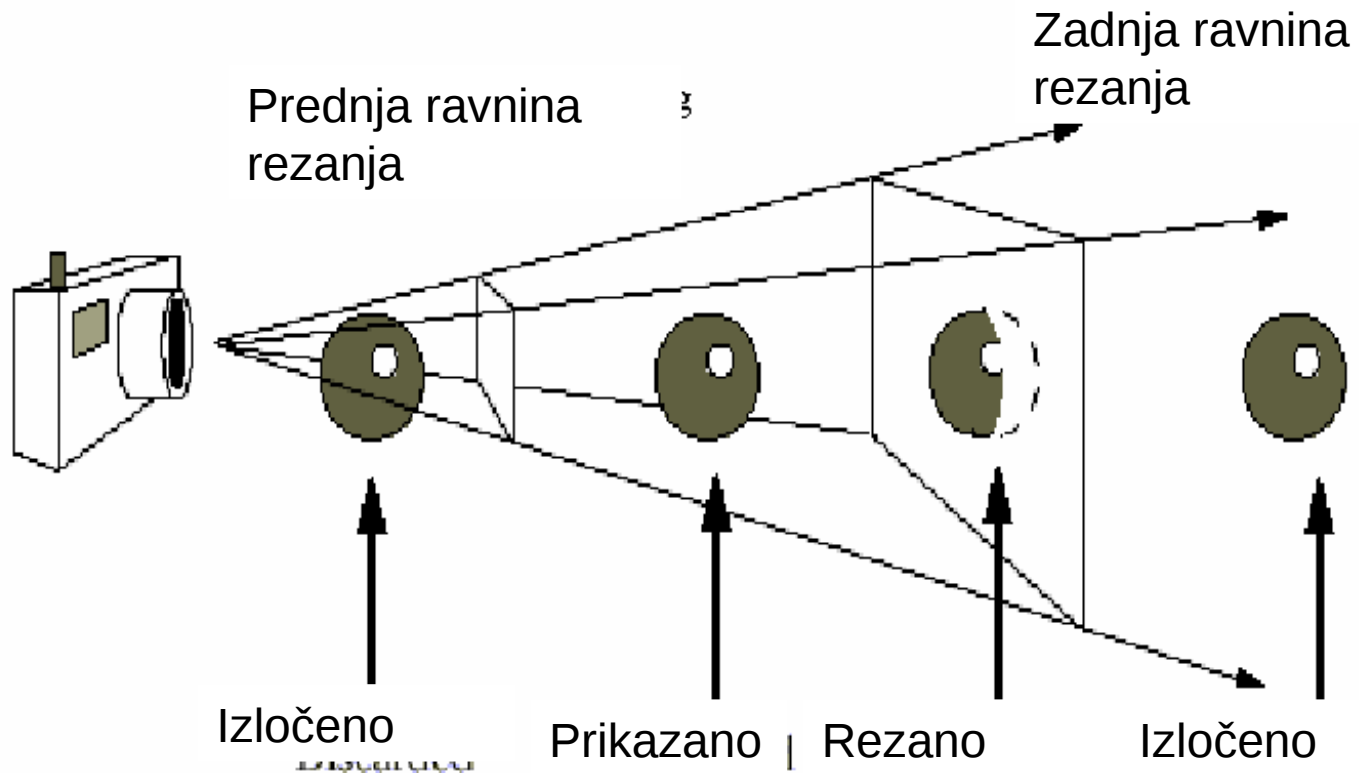
# Volumen gledanja

V prejšne preproste transformacije moramo vključiti volumen gledanja (view volume):

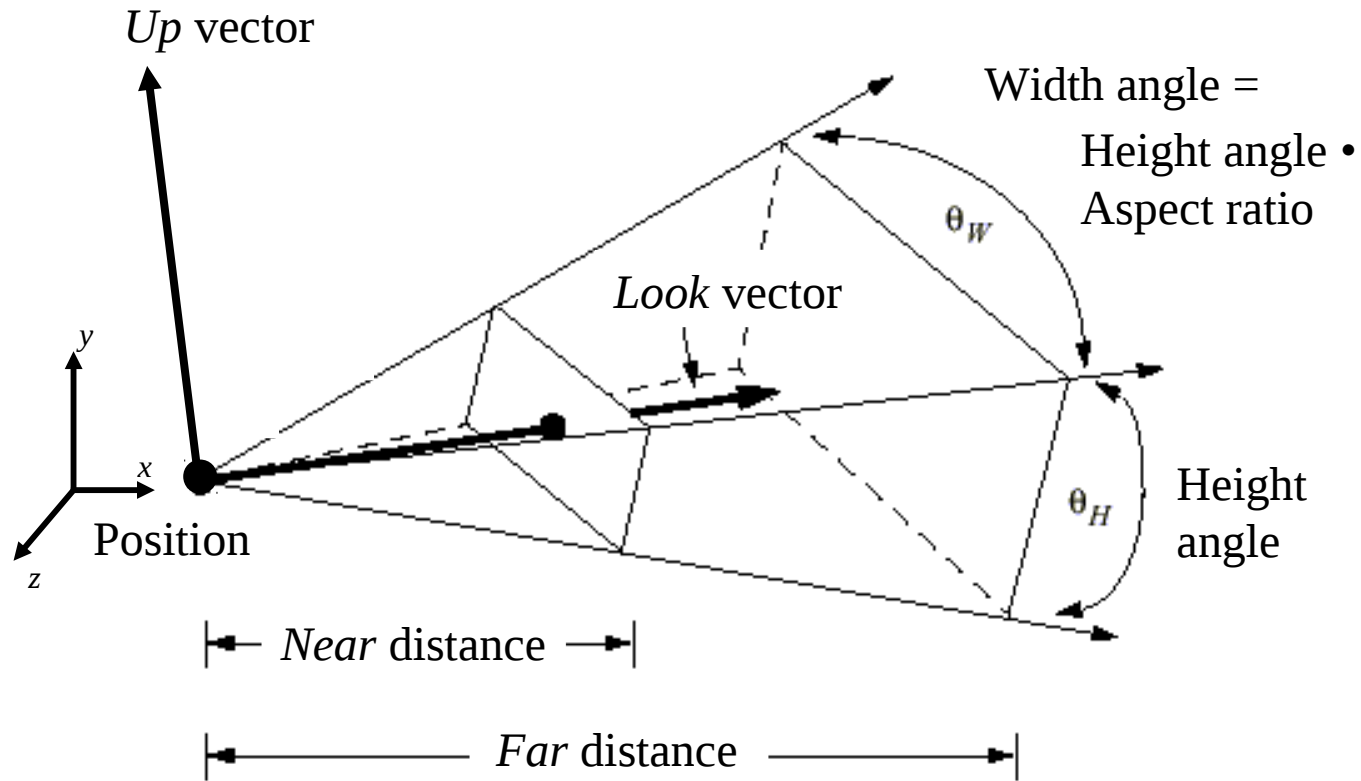


# Volumen gledanja, stožec gledanja

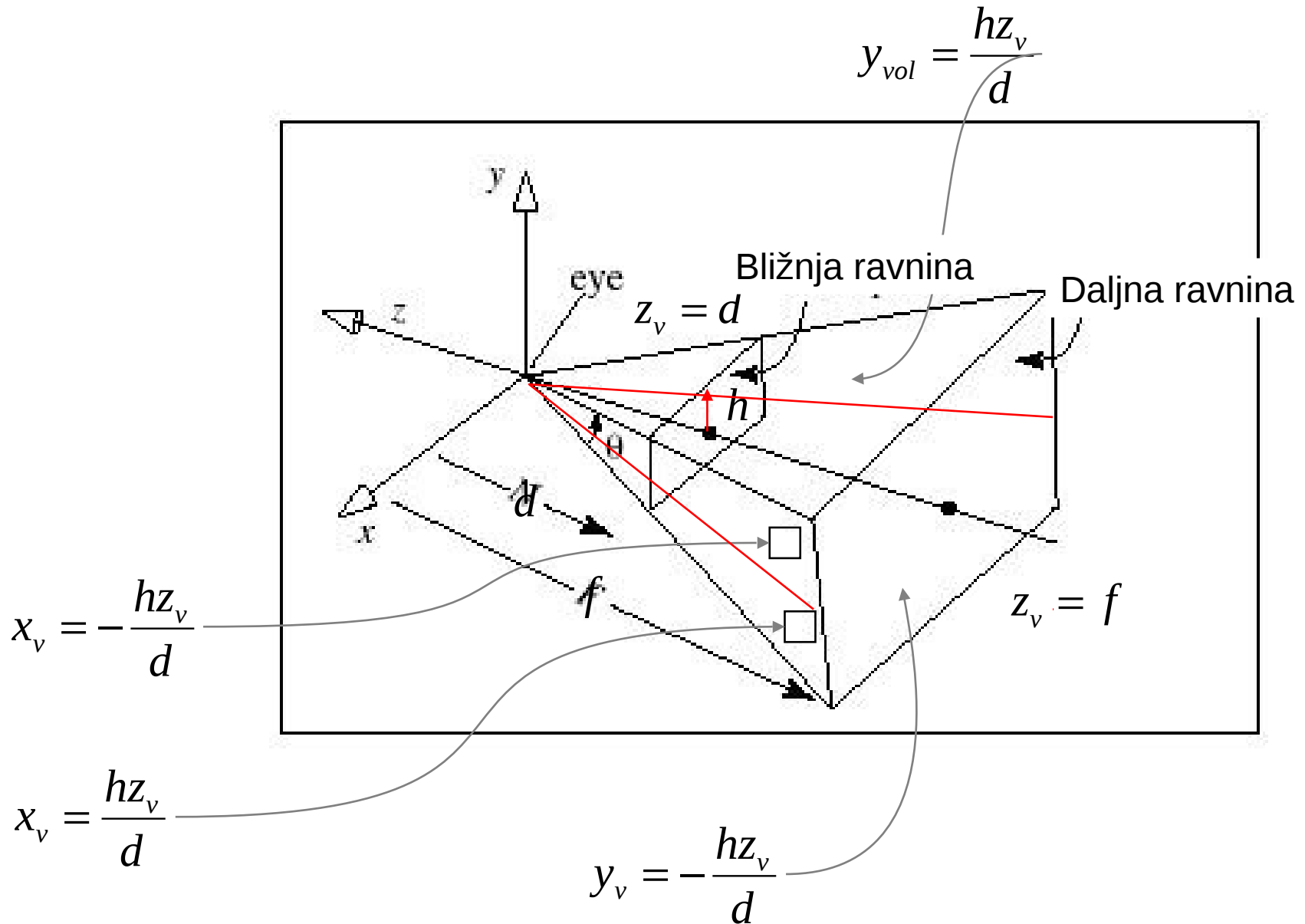




# Nekaj pojmov



# Nekaj matematike



# Transformacijske matrice

$$T_{pers} = \underbrace{\begin{pmatrix} d/h & 0 & 0 & 0 \\ 0 & d/h & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}}_{\text{Skaliranje } (d/h \text{ v } x \text{ in } y)} \underbrace{\begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 0 & 0 & f/(f-d) & 1 \\ 0 & 0 & -fd/(f-d) & 0 \end{pmatrix}}_{\text{Navadna piramida v kvader}}$$

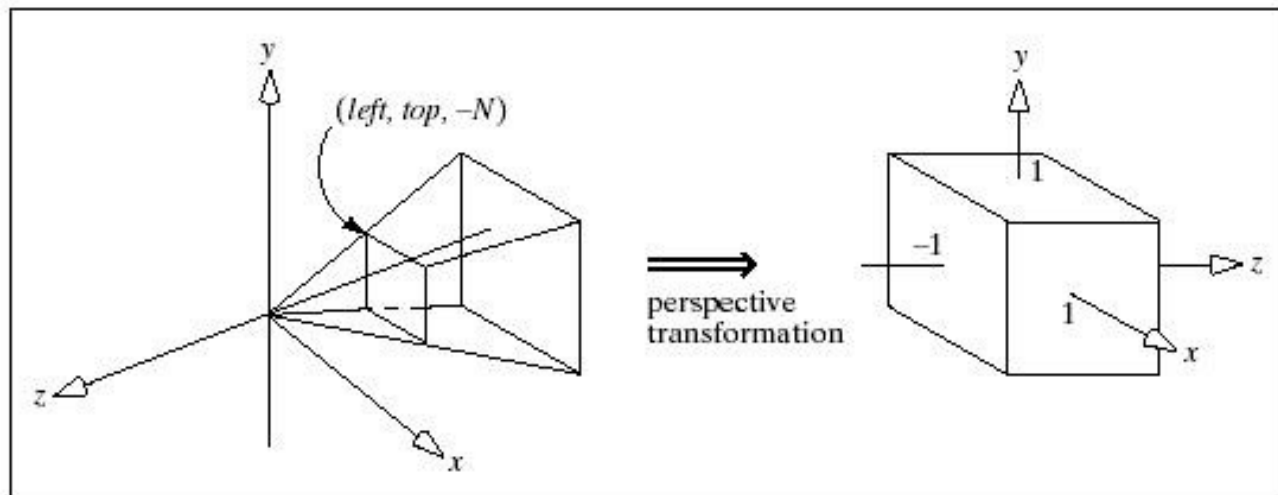
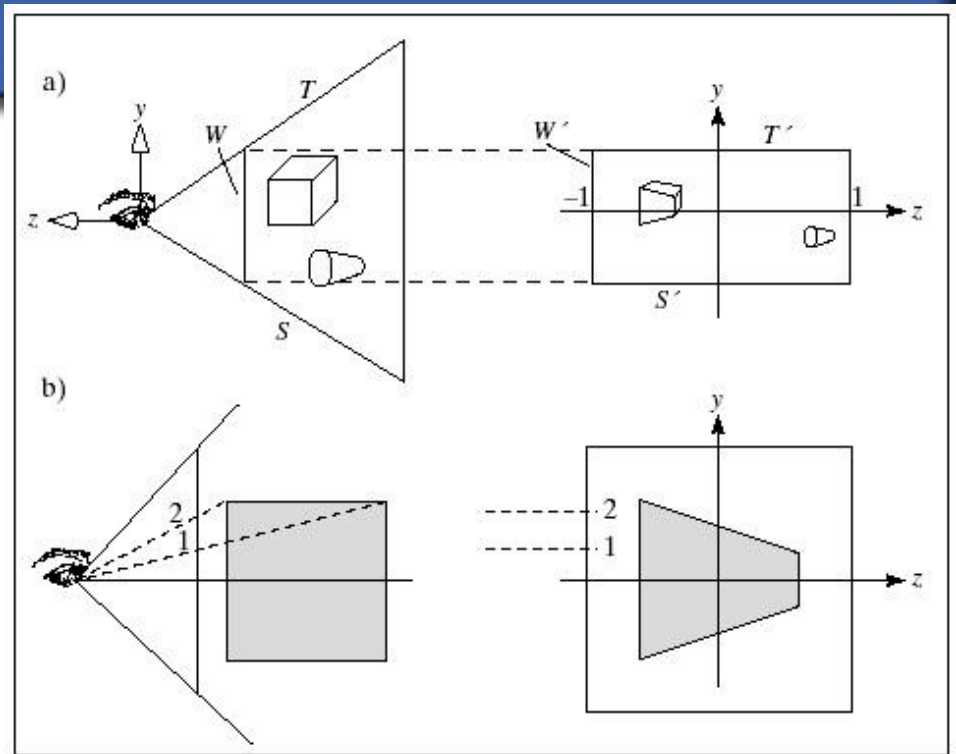
*Skaliranje ( $d/h$  v  $x$  in  $y$ )*

*Prirezana piramida v navadno  
piramido*

*Navadna piramida v kvader*



$$T_{pers} = \begin{pmatrix} d/h & 0 & 0 & 0 \\ 0 & d/h & 0 & 1 \\ 0 & 0 & f/(f-d) & 1 \\ 0 & 0 & -fd/(f-d) & 0 \end{pmatrix}$$



# Cevovod 3D upodabljanja

*Lokalni koordinatni sistem*

**Definicija predmeta**

**Transformacije modela**

*Koordinatni prostor sveta*

**Kompozicija scene**  
**Definicija pogleda**  
**Definicija osvetlitve**

**Transformacija gledanja**

*Prostor gledanja*

**Projekcija**

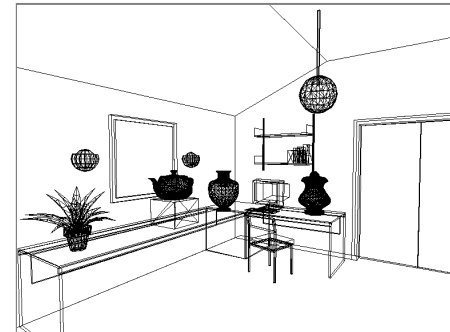
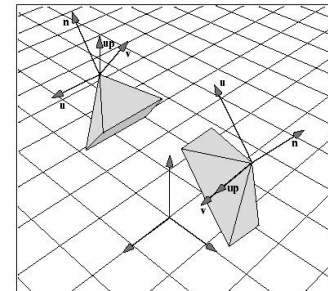
Odstranjevanje  
Rezanje v 3D prostor  
gledanja

*3D prostor zaslona*

**Deljenje projekcije**

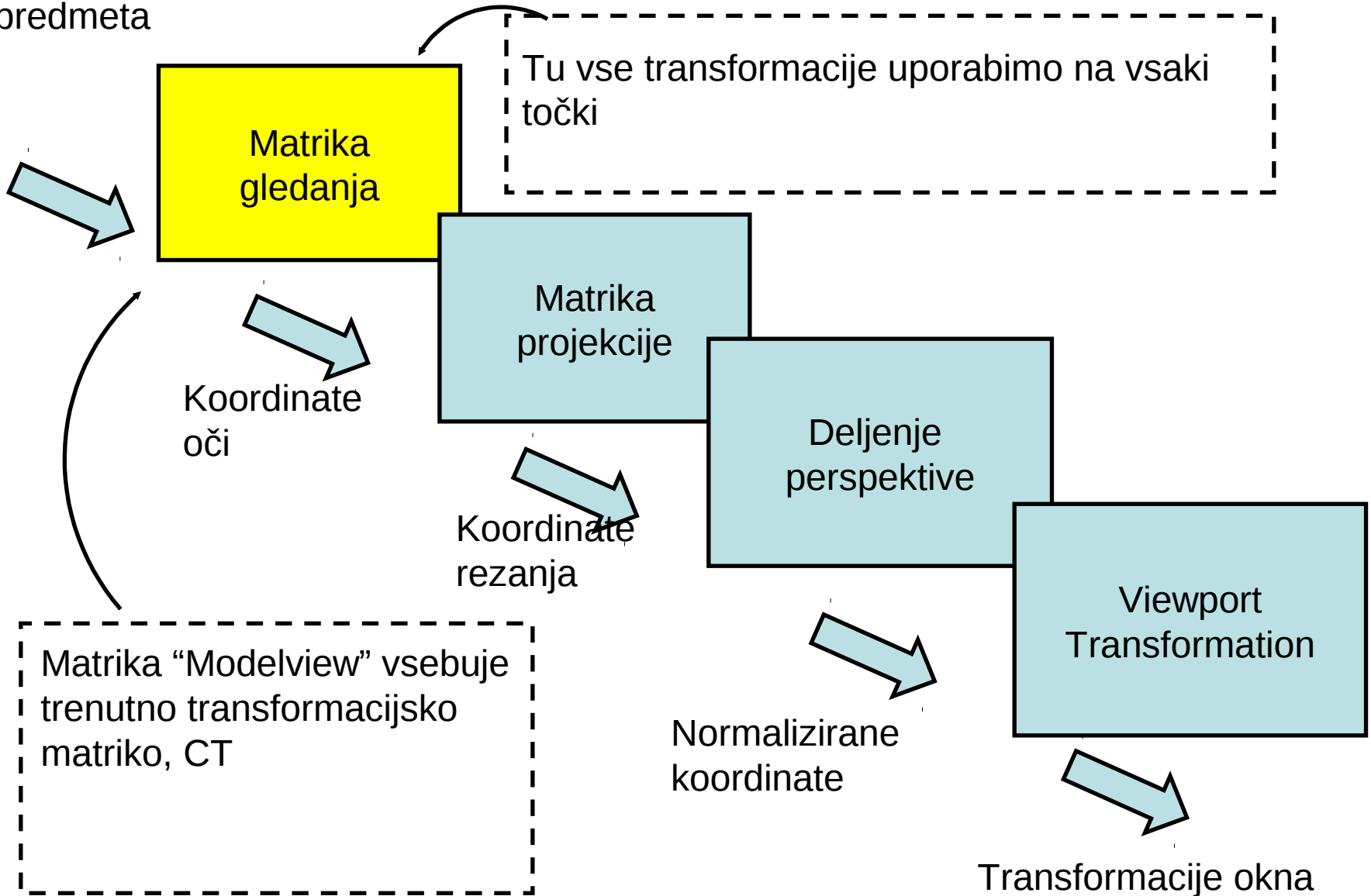
Odstranjevanje zakritih  
ploskev  
Rasterizacija  
Senčenje

*Prostor zaslona*

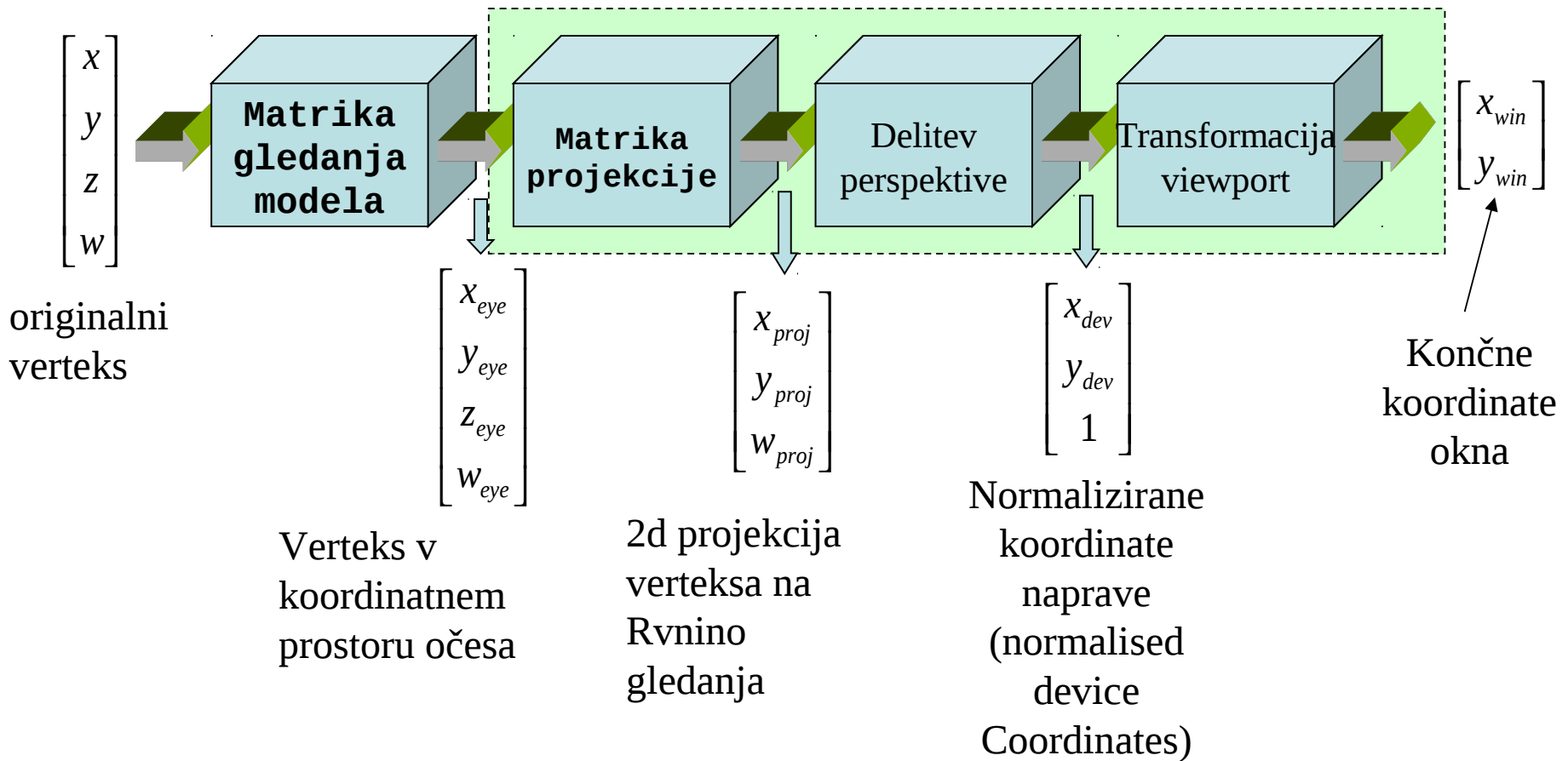


# Stopnje transformacije verteksov

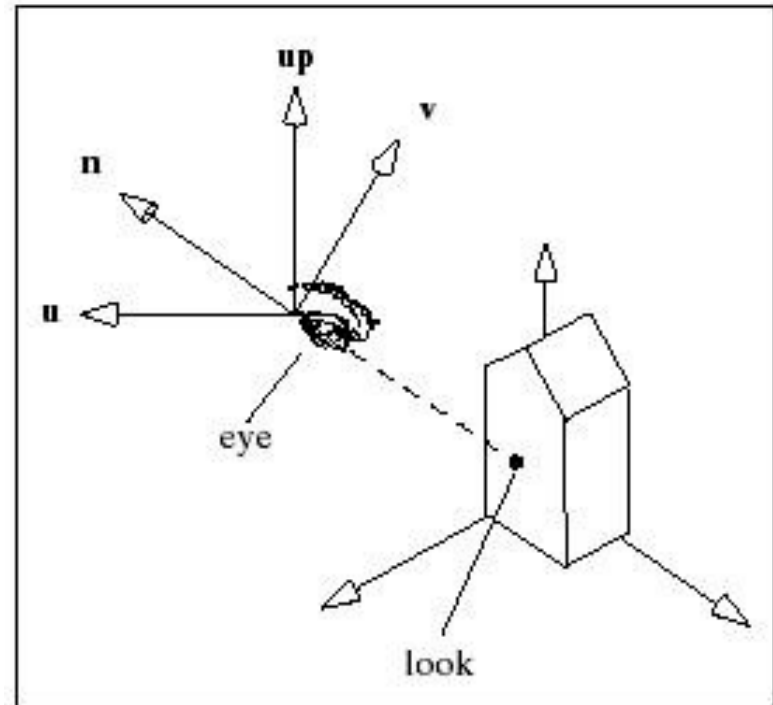
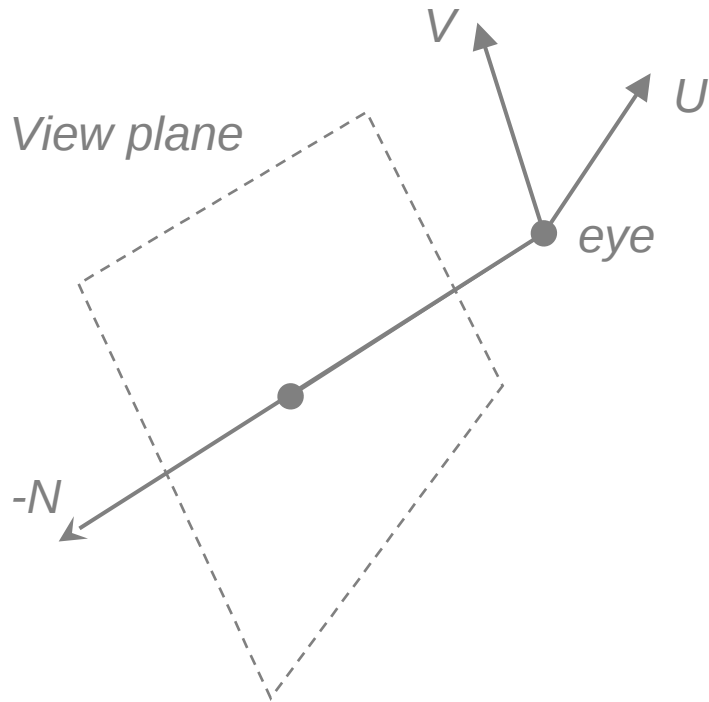
Koordinate predmeta



# OpenGL® Cevovod preslikav



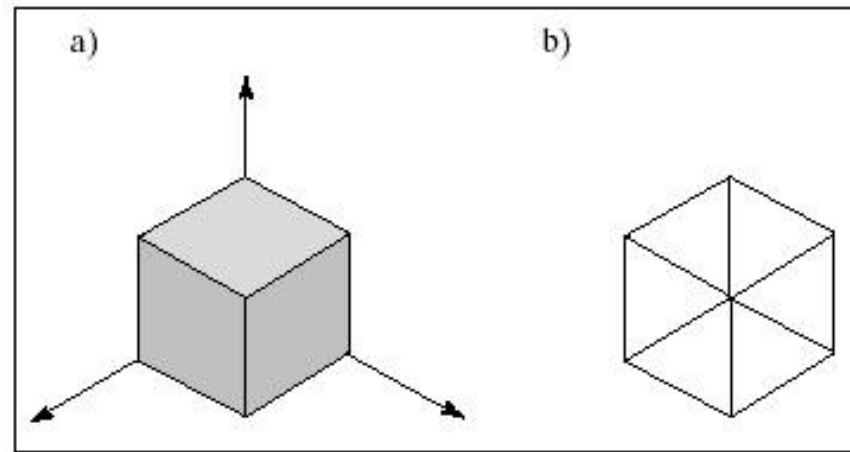
# OpenGL: Položaj in usmeritev kamere



```
glMatrixMode (GL_MODELVIEW)  
glLoadIdentity();
```

```
glLookAt (eye.x, eye.y, eye.z, look.x, look.y, look.z, up.x, up.y, up.z);
```

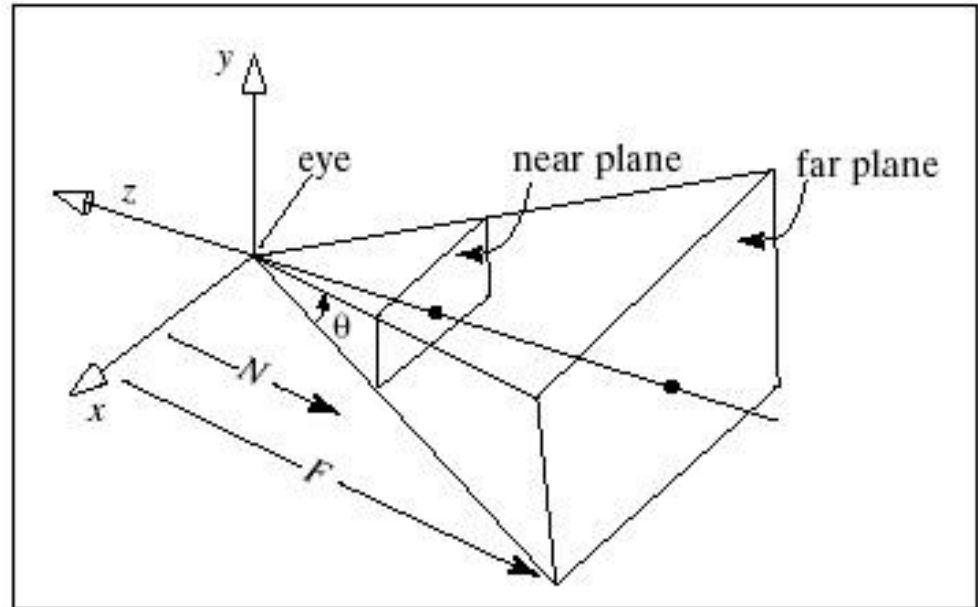
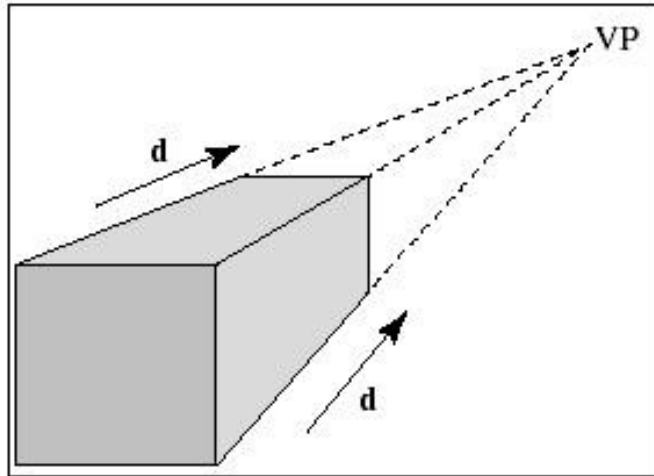
# OpenGL: Postavitev kamere (Paralelna projekcija)



```
glMatrixMode (GL_PROJECTION)  
glLoadIdentity();
```

```
glOrtho (left, right, bottom, top, near, far);
```

# OpenGL: Postavitev kamere (Perspektivna projekcija)



```
glMatrixMode (GL_PROJECTION)  
glLoadIdentity();
```

```
glFrustum (left, right, bottom, top, near, far);
```

*or*

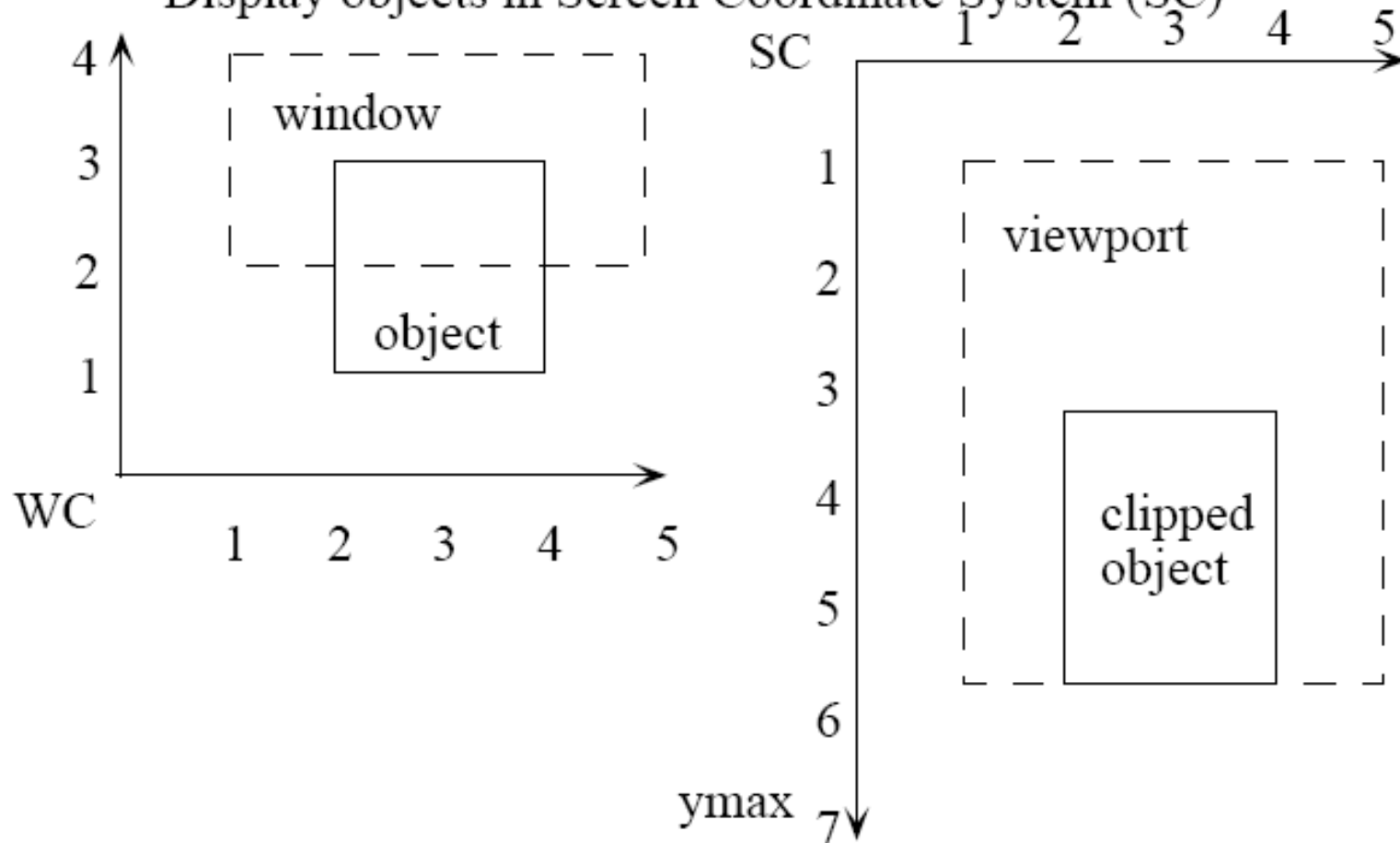
*more intuitive* →

```
gluPerspective (viewAngle, aspect, near, far);
```

# Transformacija window - viewport

Define objects in World Coordinate System (WC)

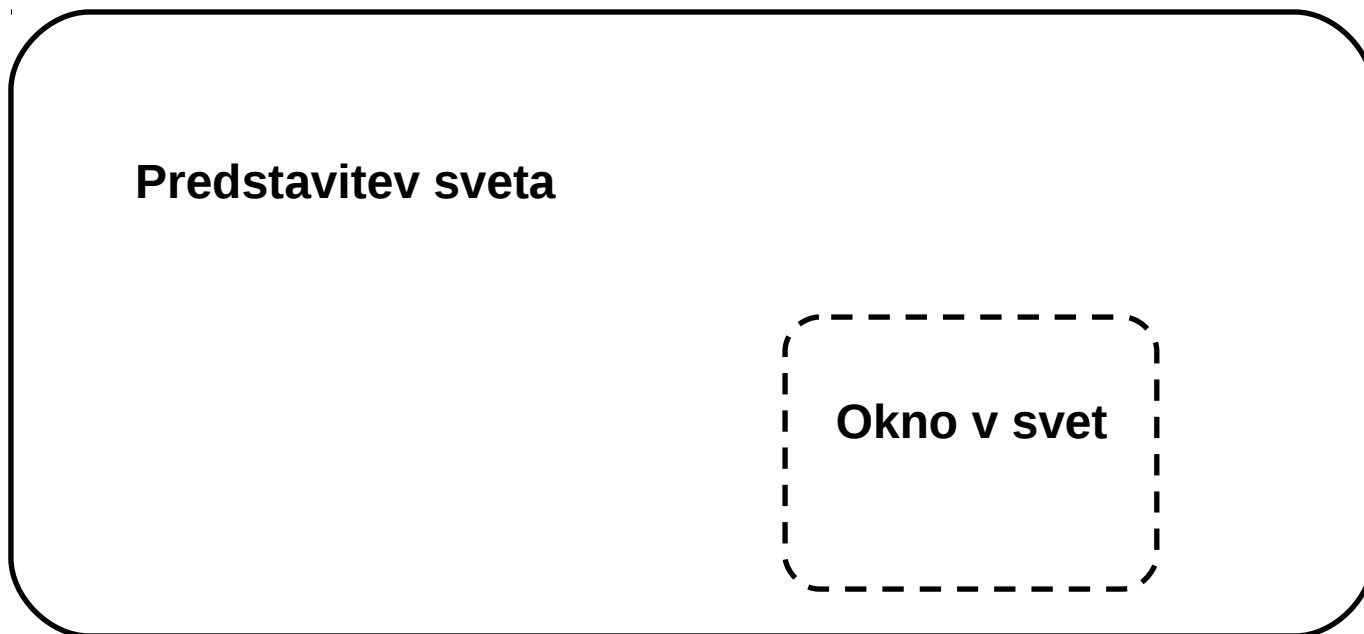
Display objects in Screen Coordinate System (SC)





# Svet in okno v svet

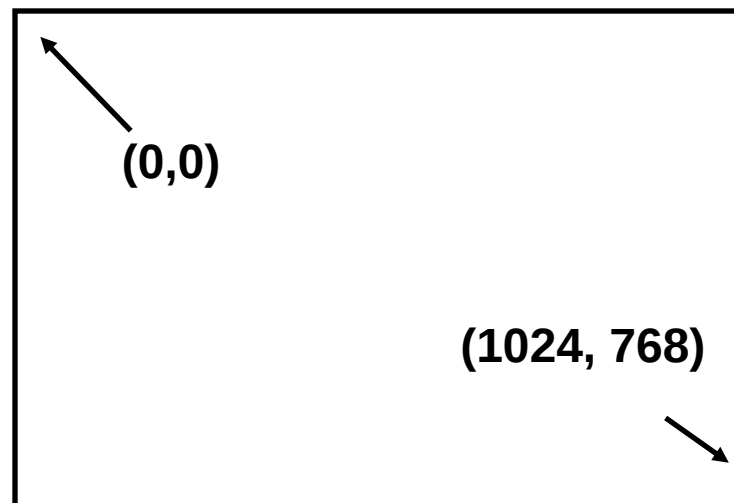
**Osnovna ideja:** Svet in okno v ta svet



- **Predstavitev sveta ostaja ista.**
- **Okno v svet se spreminja, ko se premikamo v svetu, tj. okno v svet se premika.**

# Koordinate

- Tako “okno v svet” kot “svet” imata oba koordinatni sistem.
- Zaslon je množica *pikslov* (pixel = picture element). Kot tudi okno na namizju zaslona. Kot tudi območje znotraj okna.
- Piksli tvorijo dvodimenzionalno mrežo s koordinatami (0,0) v zgornjem levem in maksimalnim številom pikslov za dimenzijo v spodnjem desnem kotu, npr.: (1024,768).
- Tako so koordinate zaslona naslednje:



# Koordinate sveta

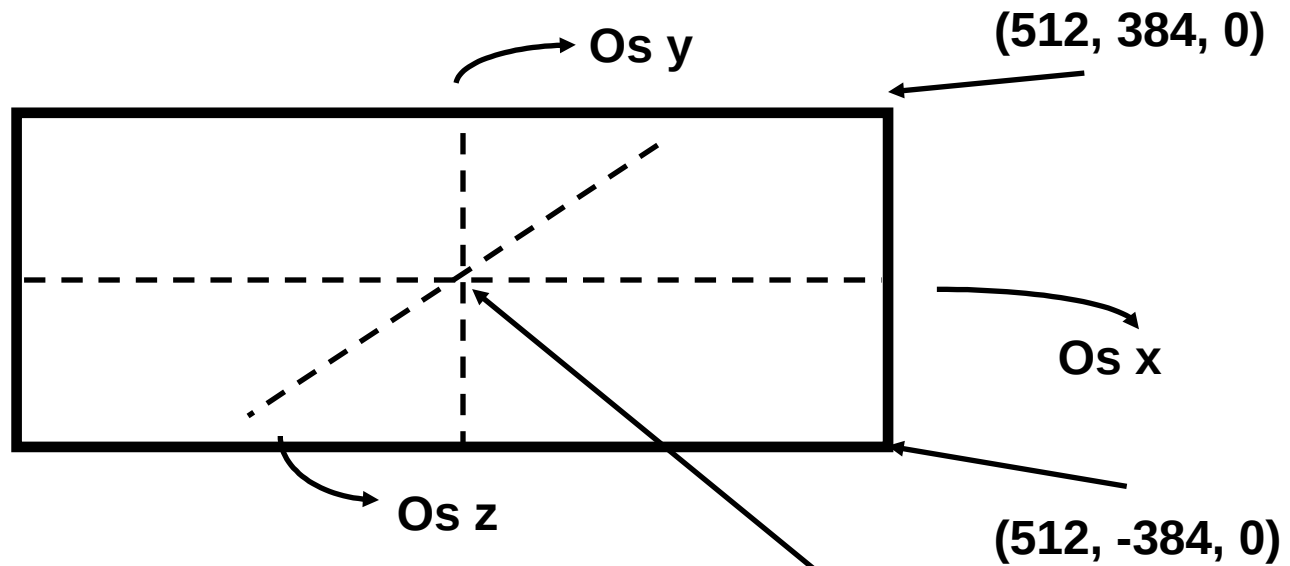
- Črte so podane v koordinatah z izhodiščem, podanim v središču zaslona, npr.:

resolucija 1024 x 768 pomeni središčno točko (512, 384)

- Vse transformacije:
  - izvedemo na koordinatah *sveta*,
  - ki jih preslikamo na koordinate zaslona.
- Tako je izračun logičnih transformacij ločen od podrobnosti vidnega področja.
- Model nočemo imeti vezan na resolucijo. Preslikava koordinat sveta na koordinate zaslona nam to omogoča.

# Koordinate sveta

Prikaz:



$(0, 0, 0)$  v koordinatah sveta  
 $(512, 384, 0)$  v *pravih* koordinatah

- $os\ Z$  je pravokotna na osi  $X$  in  $Y$ .

# Koordinate sveta

## Primer:

- točka (0,0,0) v svetu je (512, 384) na zaslonu.
- točka (100, -20,0) v svetu je (612, 404) na zaslonu.
  
- zaslonska koordinata X postane večja s *pozitivno* koordinato sveta X.
- zaslonska koordinata Y postane večja z *negativno* koordinato sveta Y.